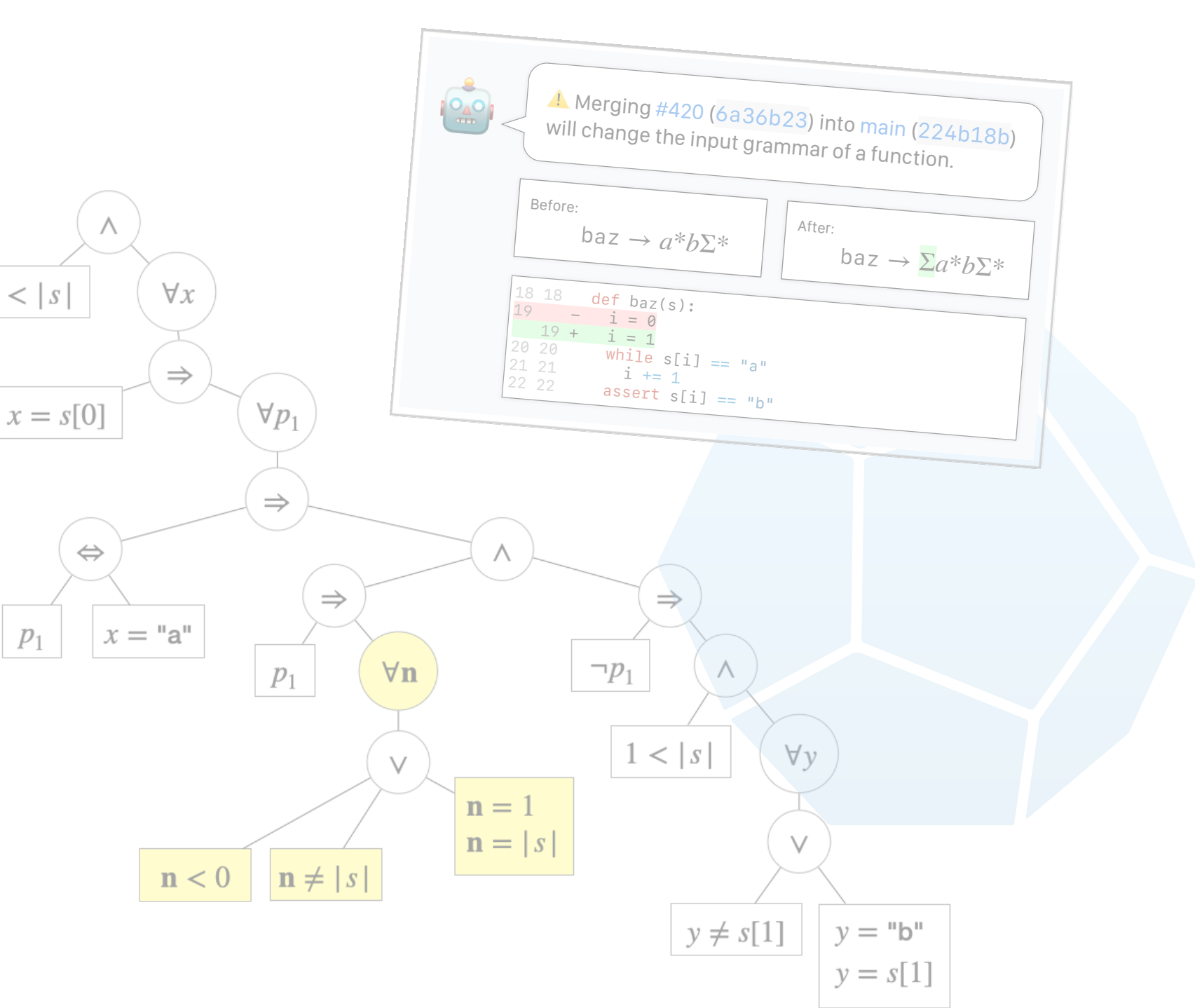


Grammar Inference for Ad Hoc Parsers

<https://mcschroeder.github.io/#splash2022>



⚠ Merging #420 (6a36b23) into main (224b18b) will change the input grammar of a function.

Before: $baz \rightarrow a^*b\Sigma^*$ After: $baz \rightarrow \Sigma a^*b\Sigma^*$

```

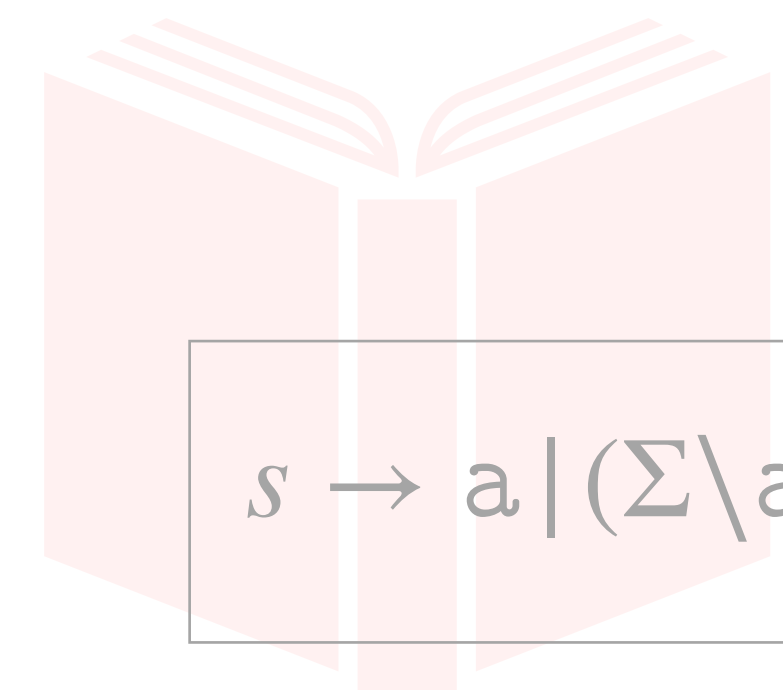
18 18 def baz(s):
19   - i = 0
19 +  i = 1
20 20 while s[i] == "a"
21 21   i += 1
22 22   assert s[i] == "b"
    
```



Michael Schröder
 TU Wien
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 michael.schroeder@tuwien.ac.at

Inferred Grammar	Inferred Inputs
$s \rightarrow int \mid int, s$	✗ (empty)
$int \rightarrow space^* (+ -)^? digit (_? digit)^* space^*$	✓ 1, 2, 3
$digit \rightarrow 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$	✓ 10_000, 4
$space \rightarrow _ \mid \backslash t \mid \backslash n \mid \backslash v \mid \backslash f \mid \backslash r$	✓ +01_2, ..., 3

`xs = map(int, s.split(","))`



$s \rightarrow a \mid (\Sigma \setminus a)b\Sigma^*$

```

assert : {b : B | b} → 1
equals : (a : Z) → (b : Z) → {c : B | c ↔ a}
length : (s : S) → {n : N | n = |s|}
charAt : (s : S) → {i : N | i < |s|} → {t : S | t = s[i]}
match : (s : S) → (t : S) → {b : B | b ↔ s}

parser : S → 1
= λs.
  let x = charAt s 0 in
  let p1 = match x "a" in
  if p1 then
    let n = length s in
    let p2 = equals n 1 in
    assert p2
  else
    let y = charAt s 1 in
    let p3 = match y "b" in
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```

Doctoral Symposium, SPLASH 2022

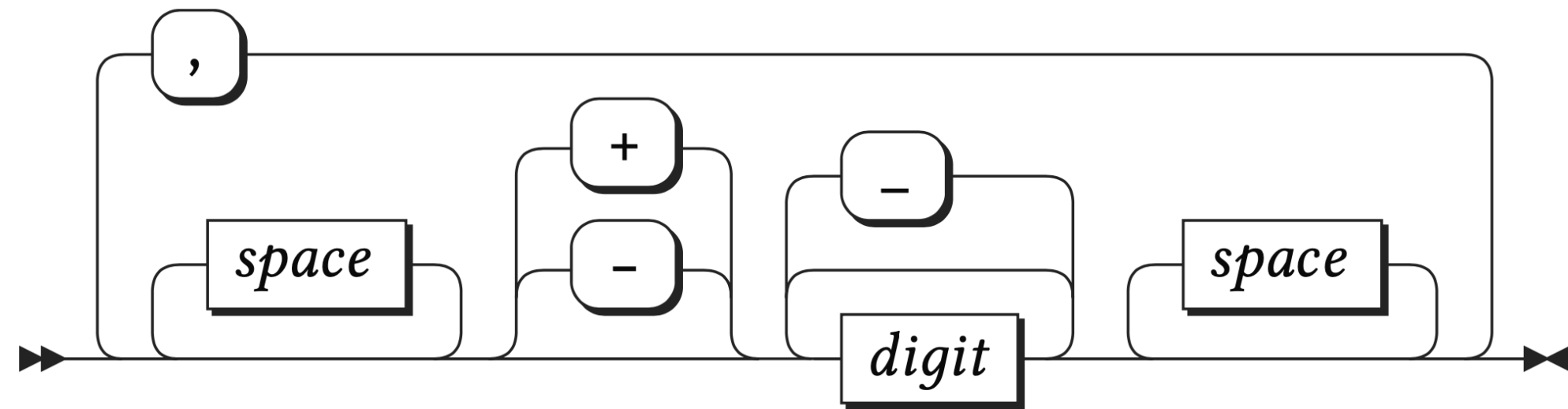
Tāmaki Makaurau, Aotearoa
 Auckland, New Zealand

```
xs = map(int, s.split(","))
```

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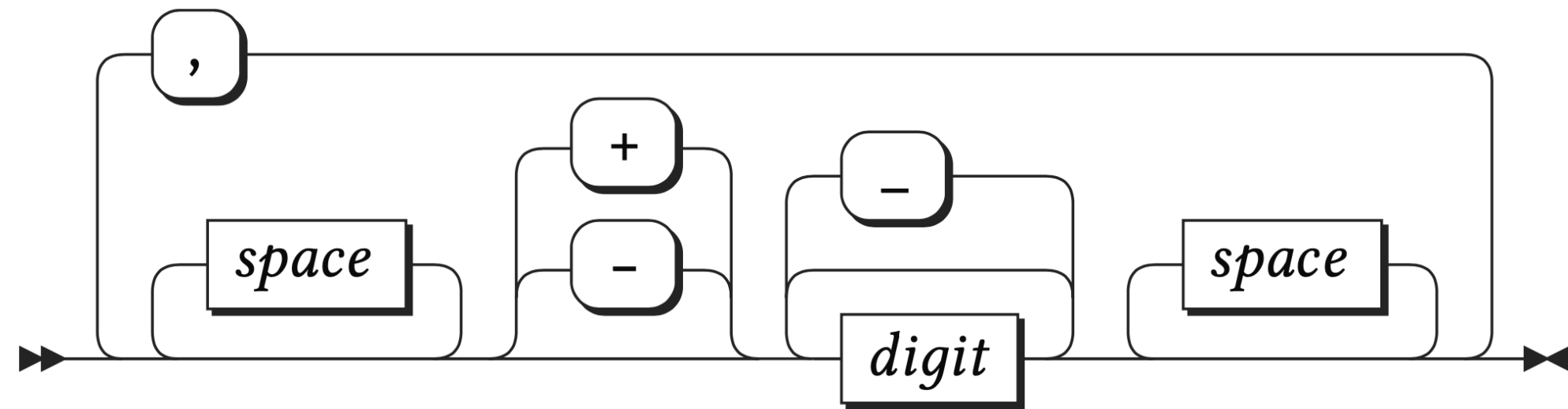
Diagram illustrating the execution of the code:

- The variable `xs` is assigned the value `[1, 2, 3]`.
- The string `"1, 2, 3"` is passed to the `split(", ")` method, which returns a list of strings `["1", "2", "3"]`.
- The `map(int, ...)` function is applied to this list, converting each string element into an integer.



$s \rightarrow int \mid int , s$
 $int \rightarrow space^* (+ \mid -)^? digit (_? digit)^* space^*$
 $digit \rightarrow 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$
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xs = map(int, s.split(","))
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```
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```

Parser : Grammar \approx Function : Type

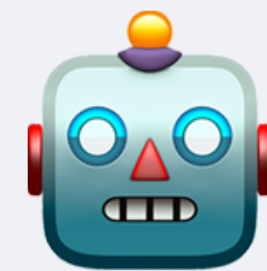
Interactive Documentation



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```
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```


Semantic Change Tracking



⚠ Merging #420 (6a36b23) into main (224b18b) will change the input grammar of a function.

Before:

$\text{baz} \rightarrow a^*b\Sigma^*$

After:

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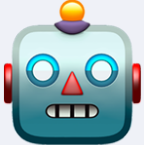
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19 -   i = 0
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```

Applications

- interactive documentation
- semantic change tracking
- grammar-aware refactoring
- parser sketching
- searching for parsers using their grammar
- detecting parser code clones
- grammar-based fuzzing
- ...

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```
xs = map(int, s.split(", "))
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✨ Automatic Grammar Inference ✨

ad hoc parser source

```
def parser(s):  
    if s[0] == "a":  
        assert len(s) == 1  
    else:  
        assert s[1] == "b"
```

?

grammar

$s \rightarrow a \mid (\Sigma \setminus a)b\Sigma^*$

PANINI

- simple λ -calculus in A-normal form (ANF)
- refinement type system à la *Liquid Types*
- common string operations assumed as axioms

- idea: infer most precise refinement type for input string

ad hoc parser source

```
def parser(s):  
  if s[0] == "a":  
    assert len(s) == 1  
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```

SSA/ANF transformation

PANINI program

```
assert : {b :  $\mathbb{B}$  | b}  $\rightarrow$   $\mathbb{1}$   
equals : (a :  $\mathbb{Z}$ )  $\rightarrow$  (b :  $\mathbb{Z}$ )  $\rightarrow$  {c :  $\mathbb{B}$  | c  $\Leftrightarrow$  a = b}  
length : (s :  $\mathbb{S}$ )  $\rightarrow$  {n :  $\mathbb{N}$  | n = |s|}  
charAt : (s :  $\mathbb{S}$ )  $\rightarrow$  {i :  $\mathbb{N}$  | i < |s|}  $\rightarrow$  {t :  $\mathbb{S}$  | t = s[i]}  
match : (s :  $\mathbb{S}$ )  $\rightarrow$  (t :  $\mathbb{S}$ )  $\rightarrow$  {b :  $\mathbb{B}$  | b  $\Leftrightarrow$  s = t}
```

```
parser :  $\mathbb{S} \rightarrow \mathbb{1}$   
=  $\lambda s.$ 
```

```
  let x = charAt s 0 in  
  let p1 = match x "a" in  
  if p1 then  
    let n = length s in  
    let p2 = equals n 1 in  
    assert p2  
  else  
    let y = charAt s 1 in  
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    assert p3
```

Refinement Types 101

Refined Base Types

$\{n : \text{int} \mid n \geq 0\}$

base type

refinement predicate
in a decidable logic
(e.g., QF_UFLIA)

Refinement Types 101

Dependent Function Types

$\text{length} : (s : \text{string}) \rightarrow$

$\{n : \text{int} \mid n \geq 0 \wedge n = |s|\}$

output types can
refer to input types

Refinement Types 101

Verification Conditions

term **let** $n = \text{length } s$ **in** ...

type $\{n : \text{int} \mid n \geq 0 \wedge n = |s| \}$

verification
condition $\forall n . n \geq 0 \wedge n = |s| \Rightarrow \dots$

Refinement Inference

- κ variables represent unknown refinements
- most can be solved precisely (e.g., using FUSION)
- existing approaches struggle with “grammar variables”

“grammar variable”
(constraint over input string)

verification template

$$\begin{aligned}
 & \forall s. \kappa_0(s) \Rightarrow \\
 & \quad 0 < |s| \wedge \forall x. x = s[0] \Rightarrow \\
 & \quad \quad \forall p_1. p_1 \Leftrightarrow x = \text{"a"} \Rightarrow \\
 & \quad \quad \quad (p_1 \Rightarrow \\
 & \quad \quad \quad \quad \forall n. n \geq 0 \wedge n = |s| \Rightarrow \\
 & \quad \quad \quad \quad \quad \forall p_2. p_2 \Leftrightarrow n = 1 \Rightarrow \\
 & \quad \quad \quad \quad \quad \quad p_2) \\
 & \quad \wedge (\neg p_1 \Rightarrow \\
 & \quad \quad 1 < |s| \wedge \forall y. y = s[1] \Rightarrow \\
 & \quad \quad \quad \forall p_3. p_3 \Leftrightarrow y = \text{"b"} \Rightarrow \\
 & \quad \quad \quad \quad p_3)
 \end{aligned}$$

PANINI program

```

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```

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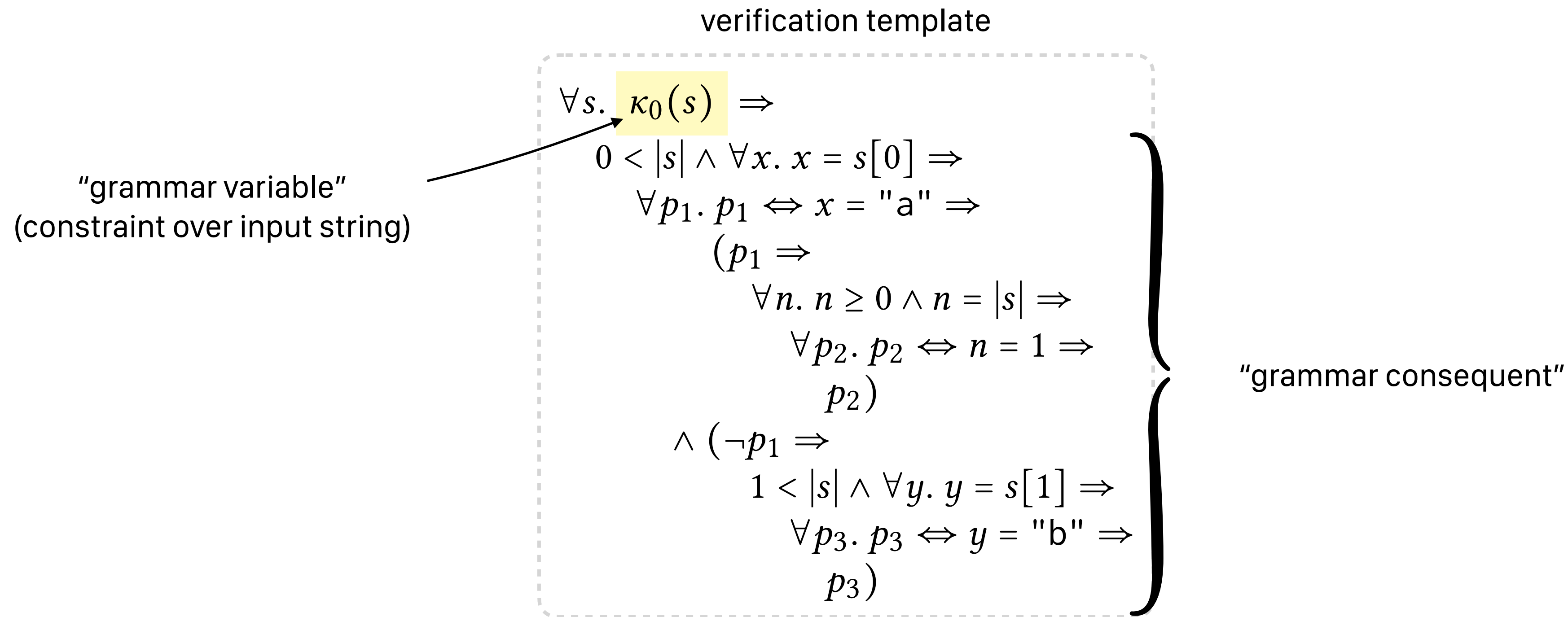
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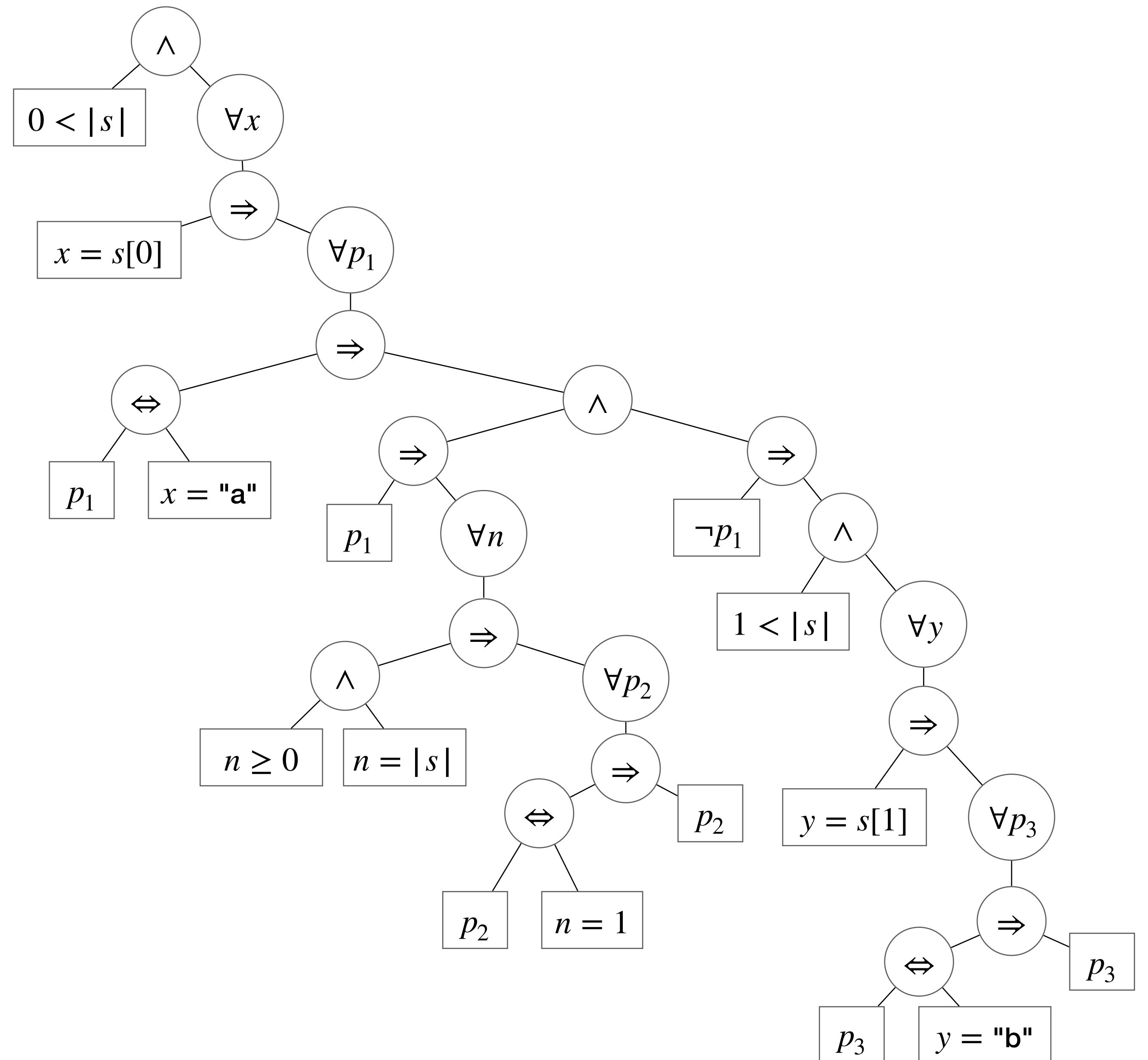

Grammar Solving

- base solution on “grammar consequent”



Grammar Solving

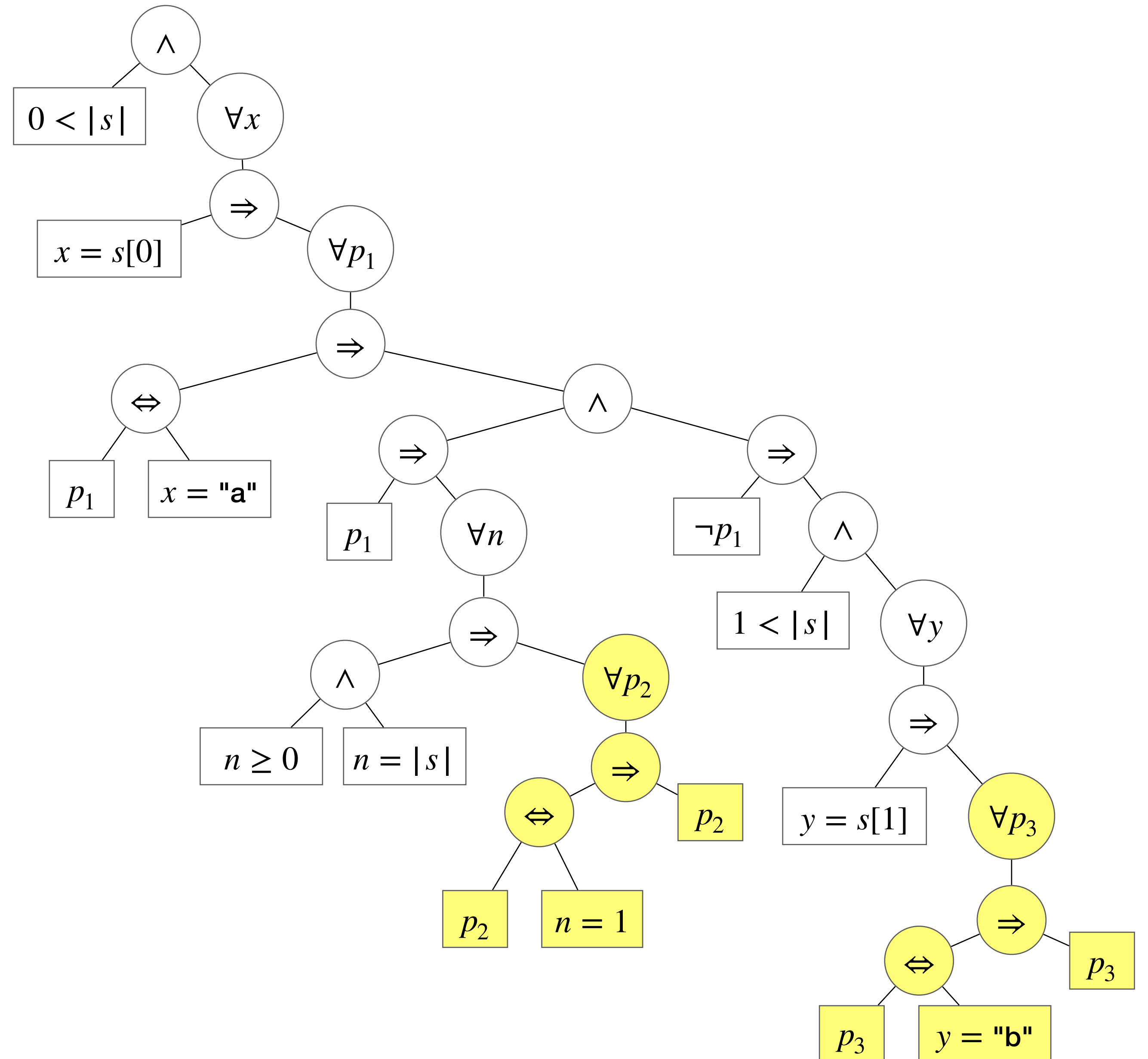
- base solution on “grammar consequent”
- minimize via bottom-up tree rewriting
- apply Boolean equivalences to reach DNF
- eliminate quantifiers by resolving equations
- use (precise) abstract value representations



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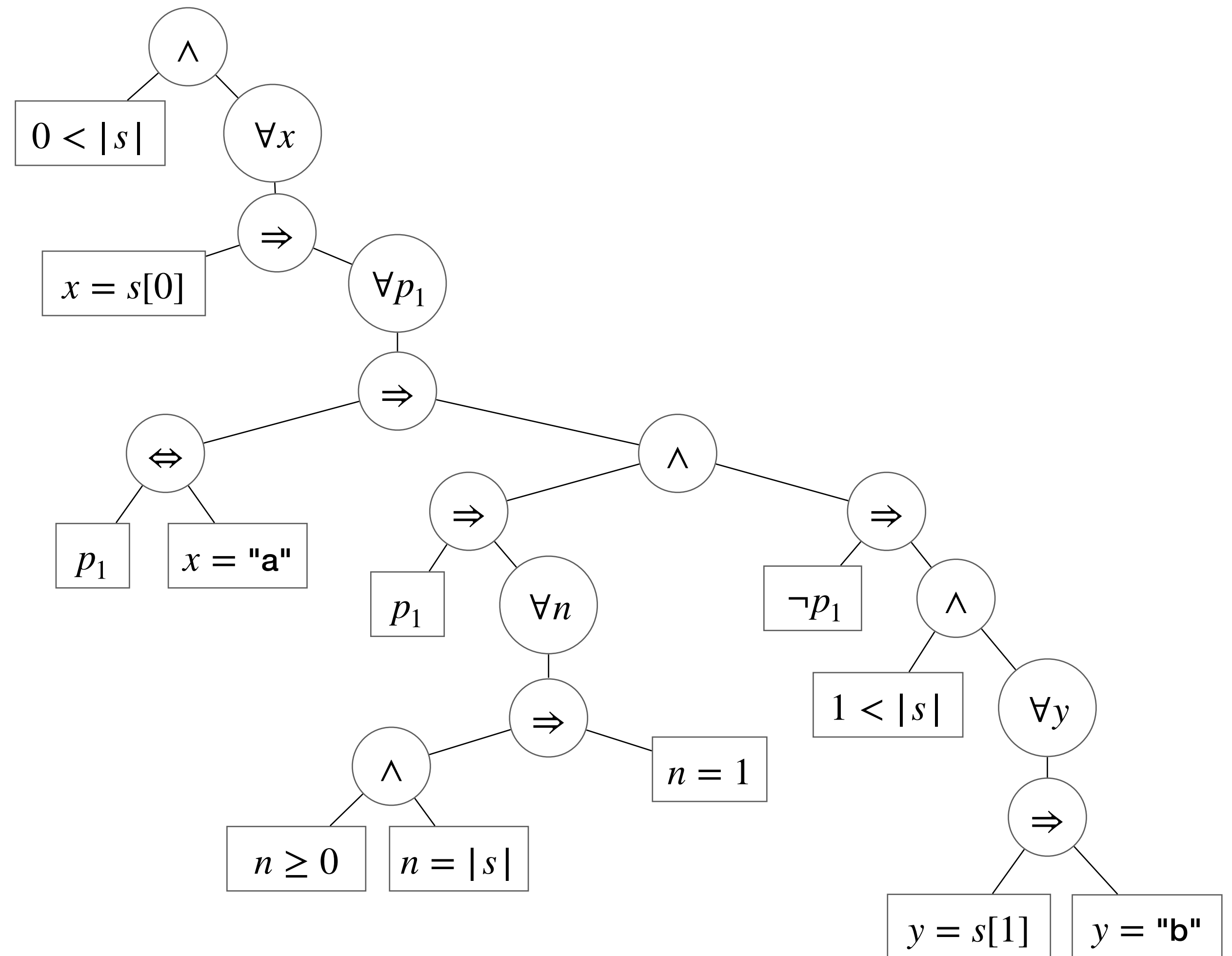
$$\forall a. (a \Leftrightarrow b) \Rightarrow a \quad \rightarrow \quad b$$



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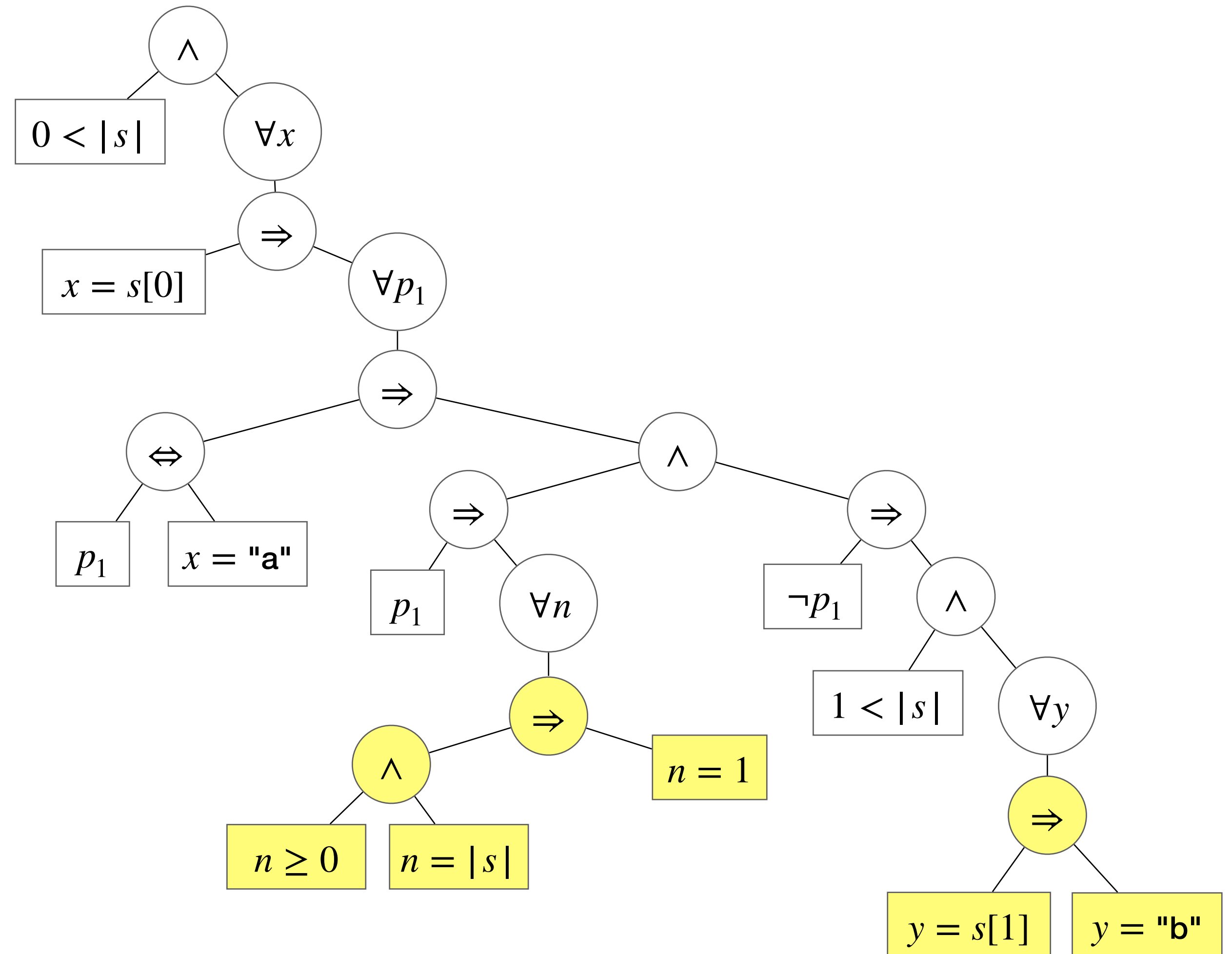
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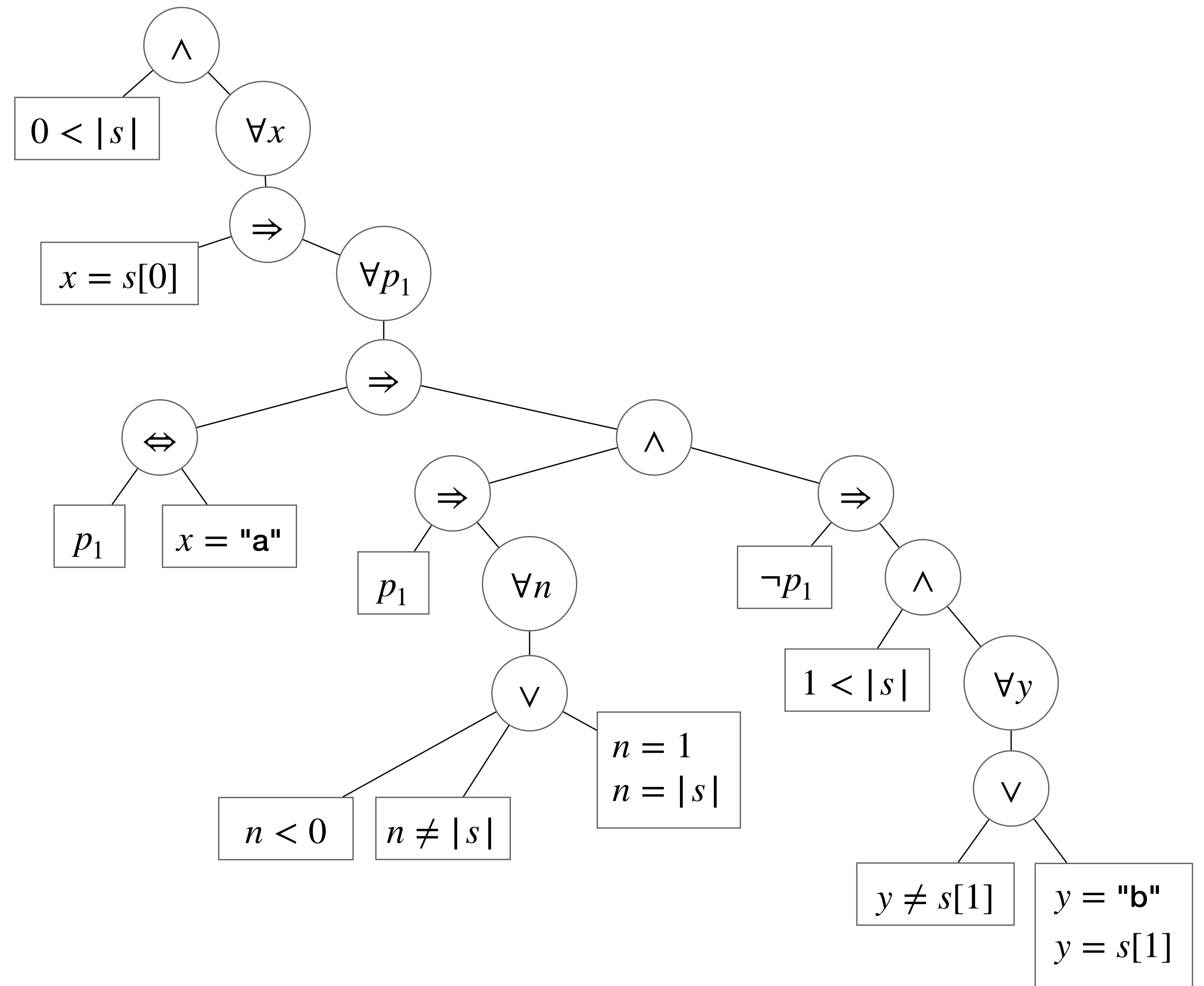
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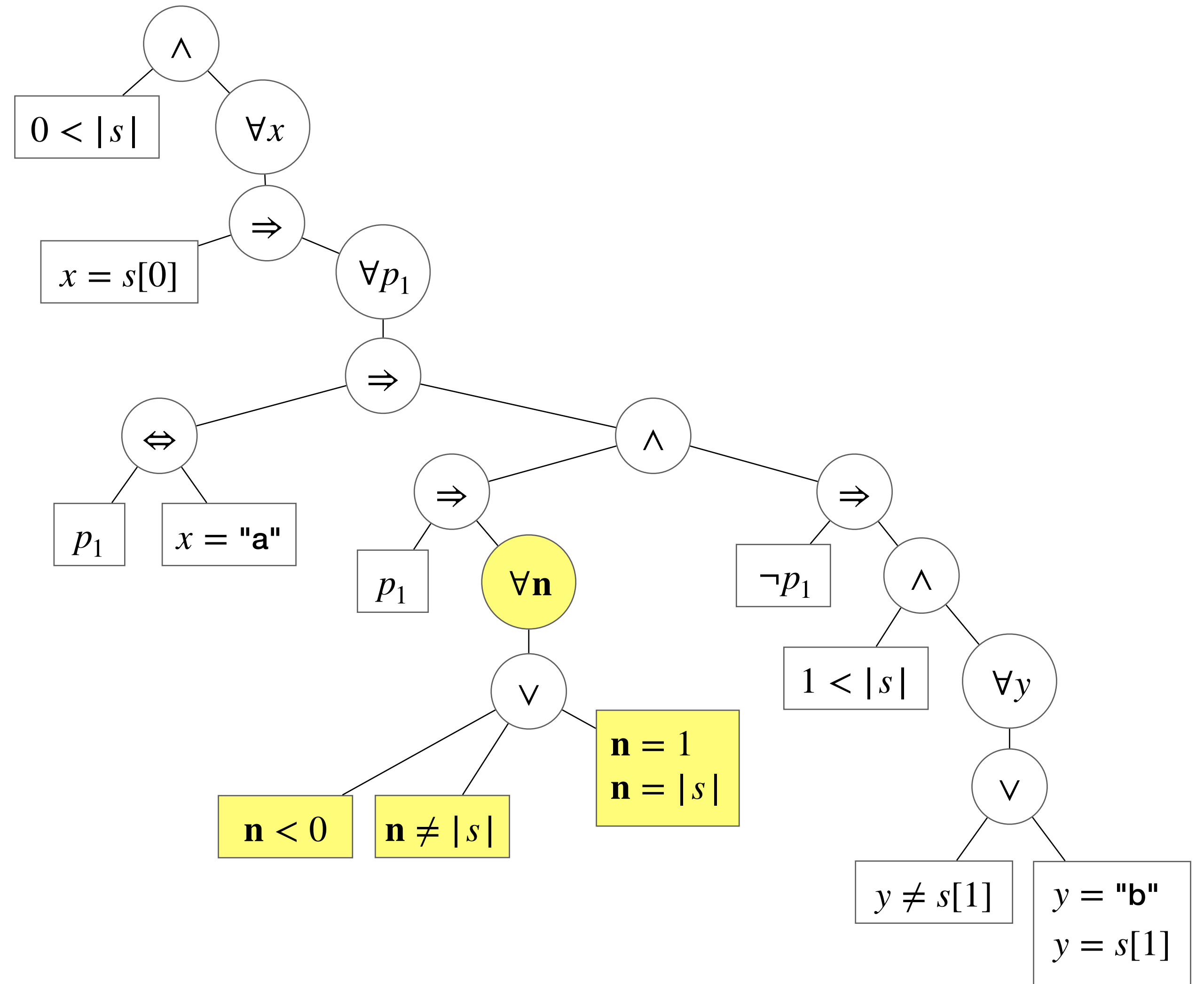
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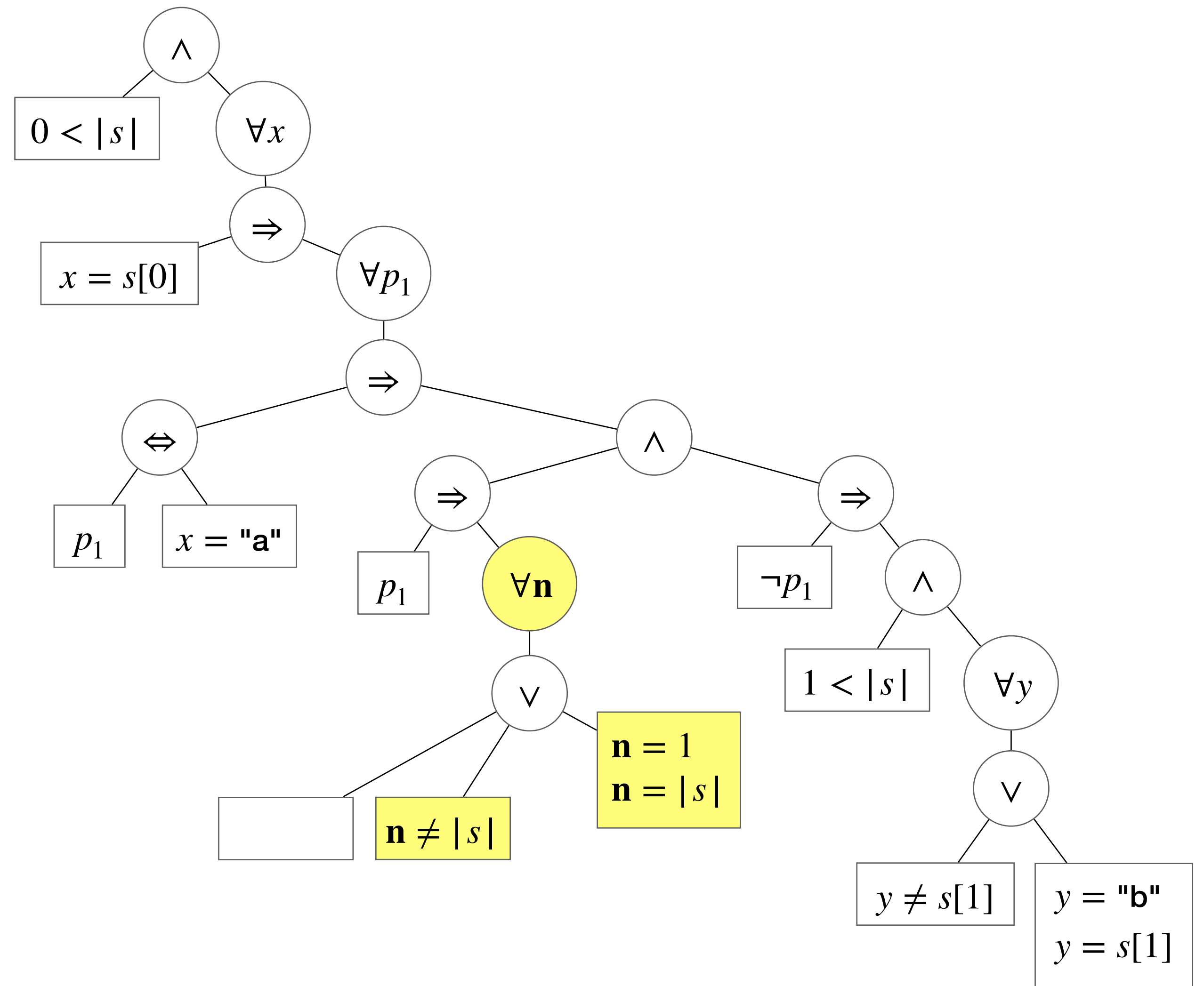
$\forall x . \varphi \rightarrow$ resolve x in φ



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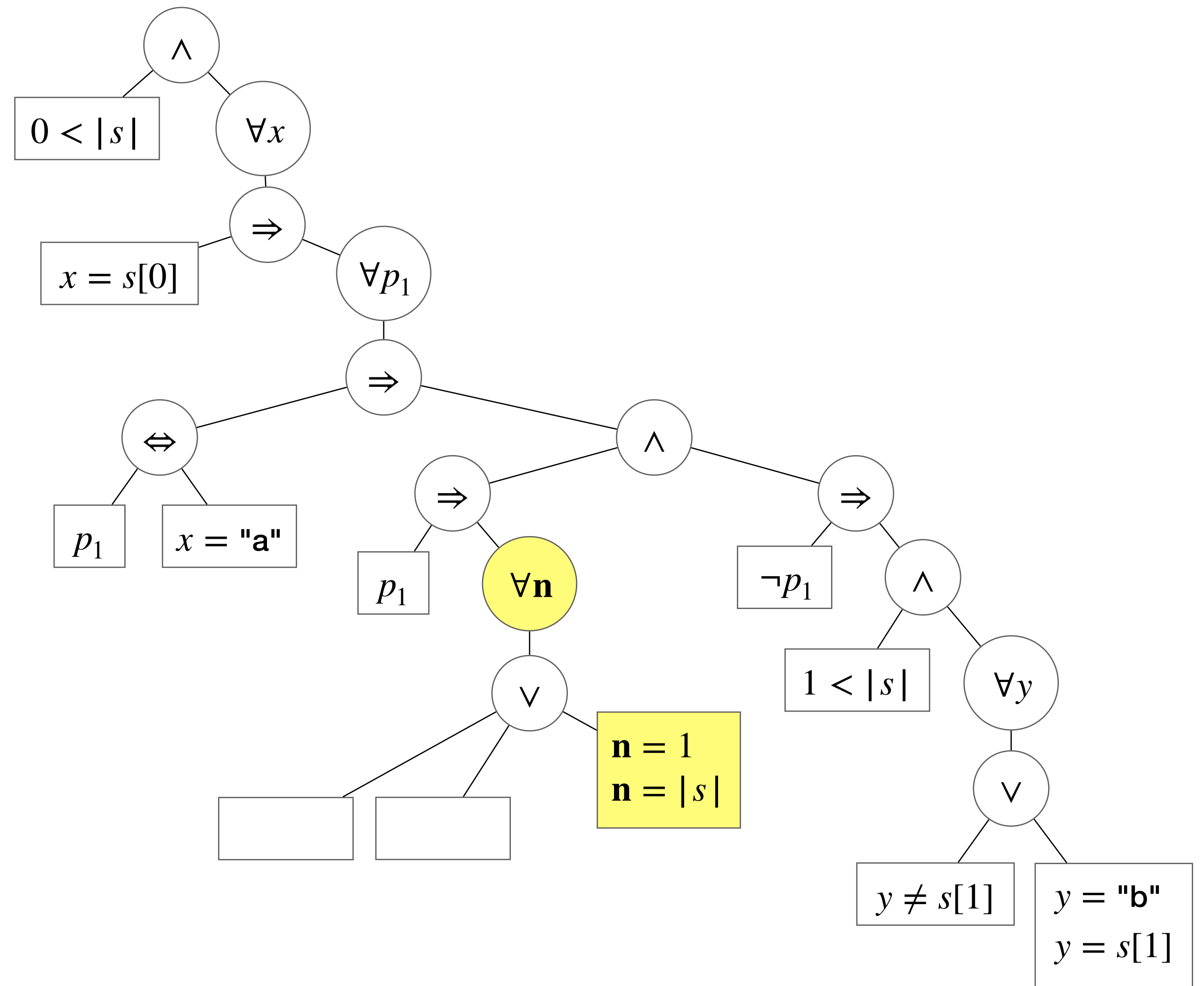
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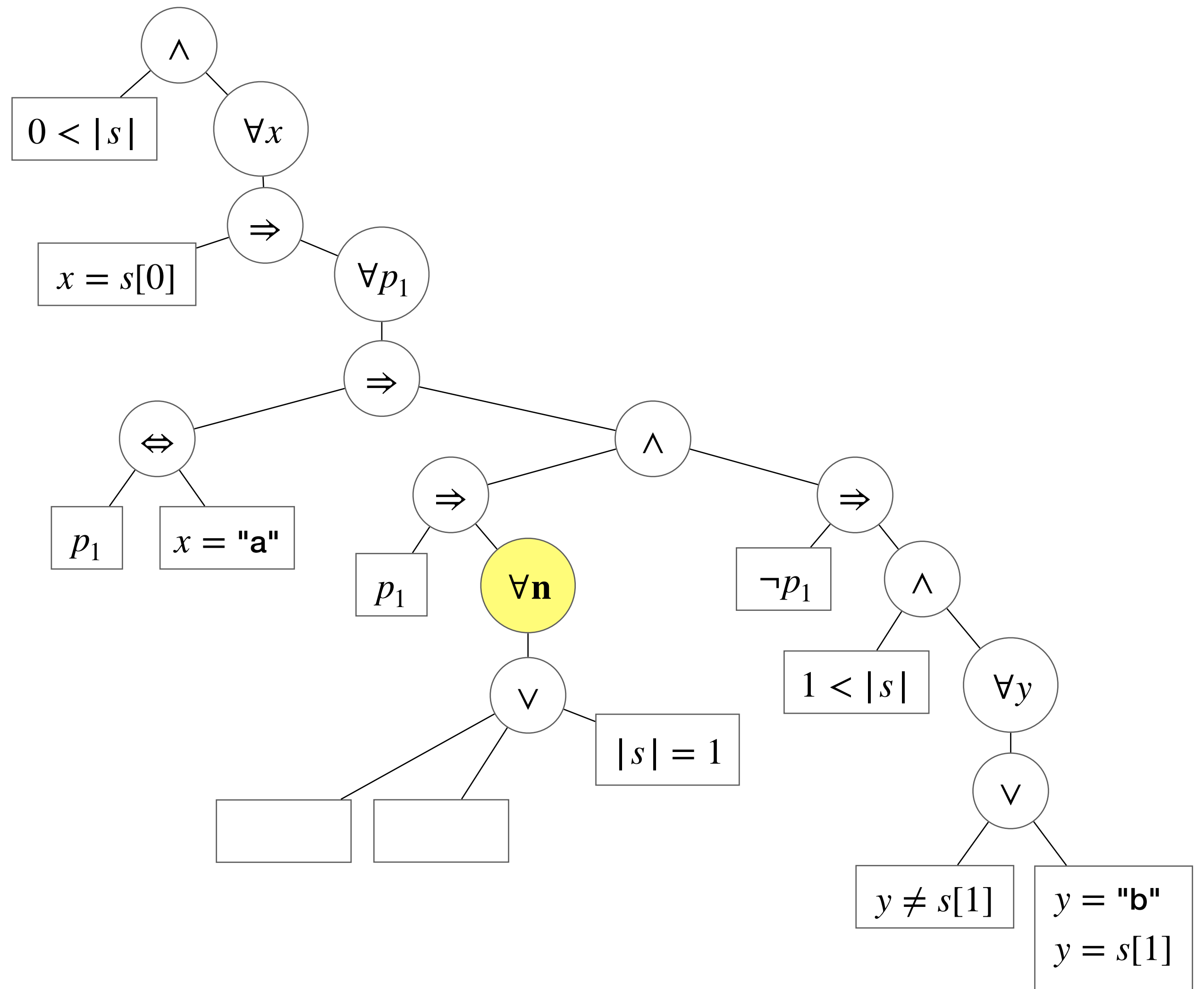
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Grammar Solving

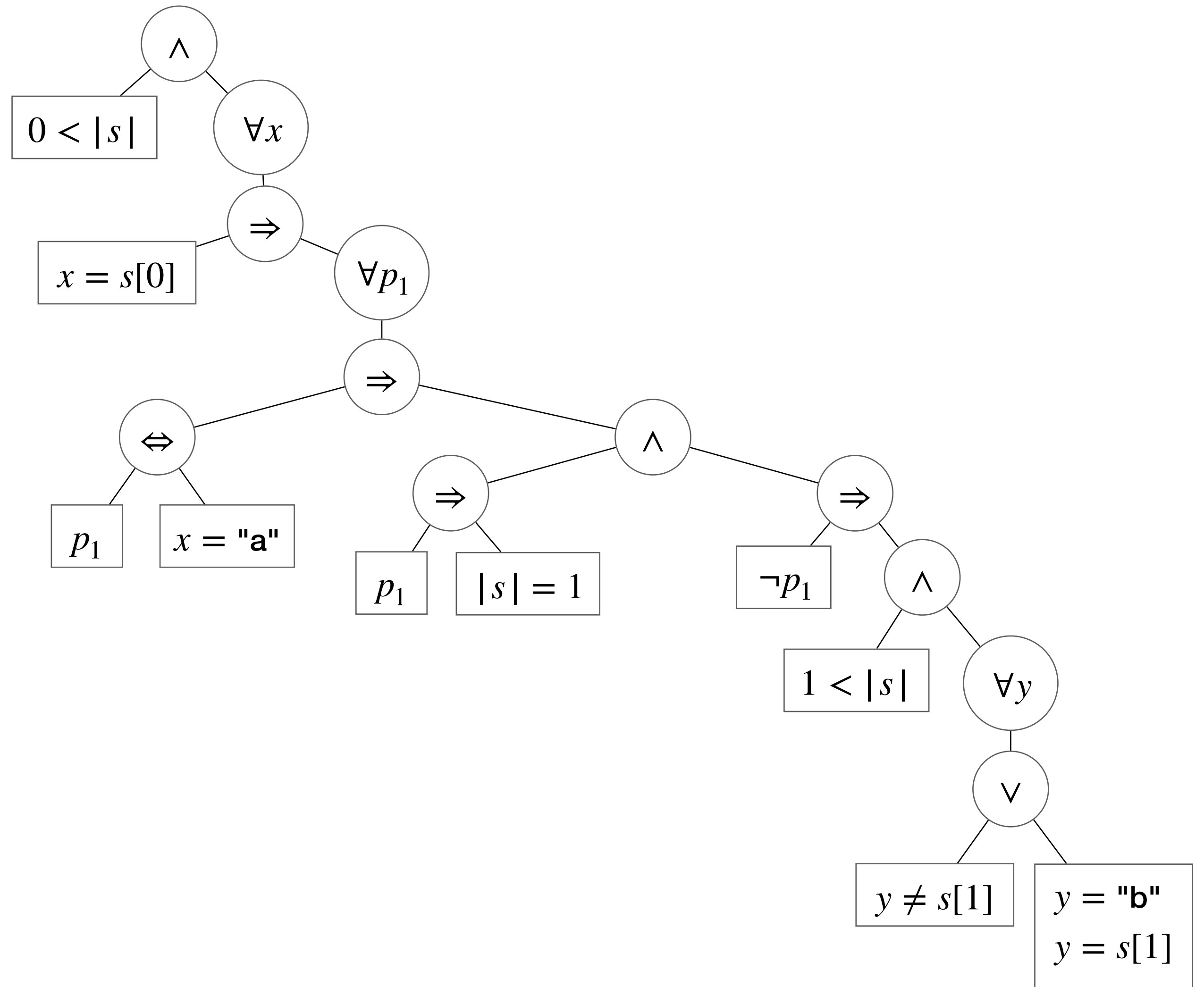
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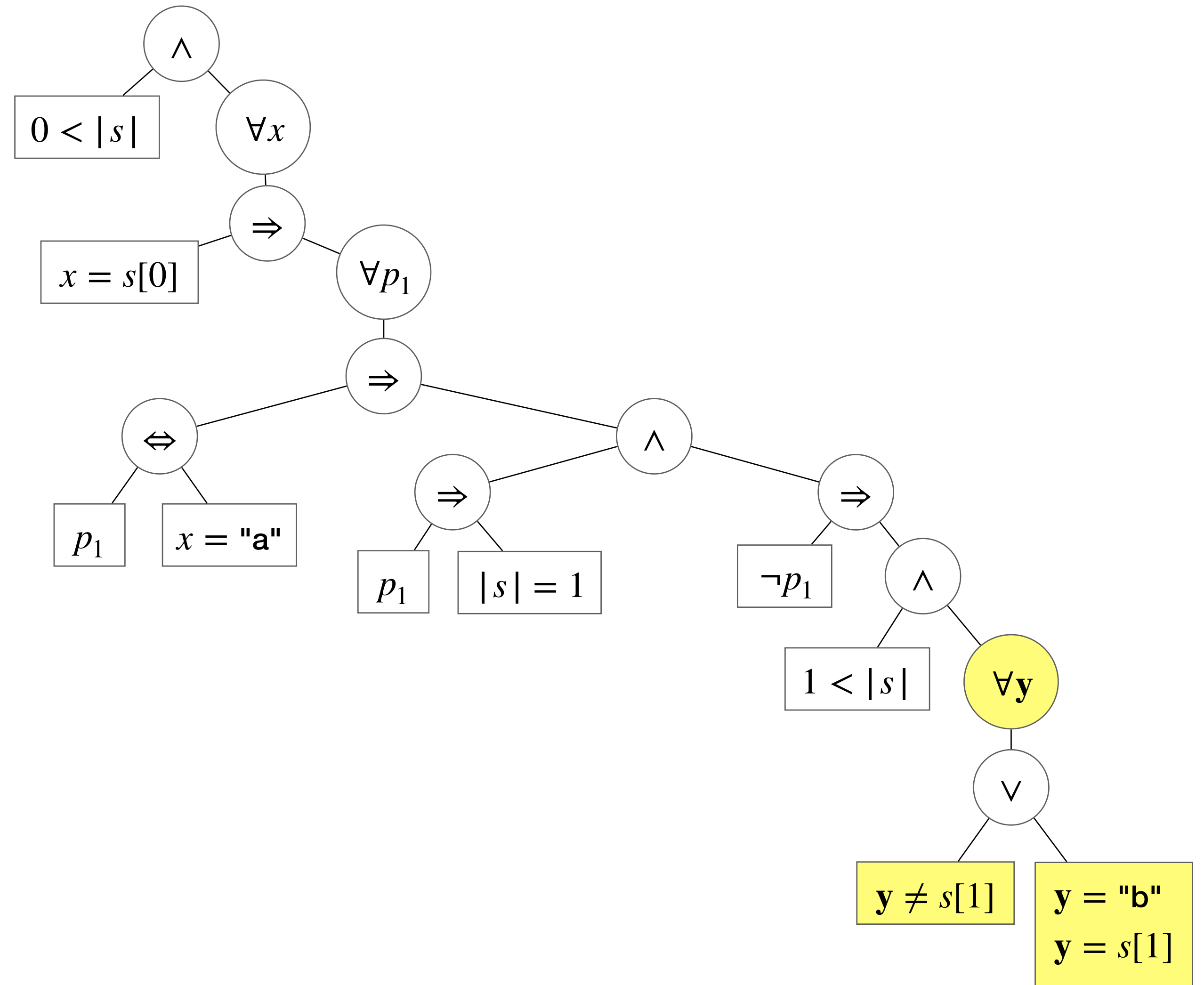
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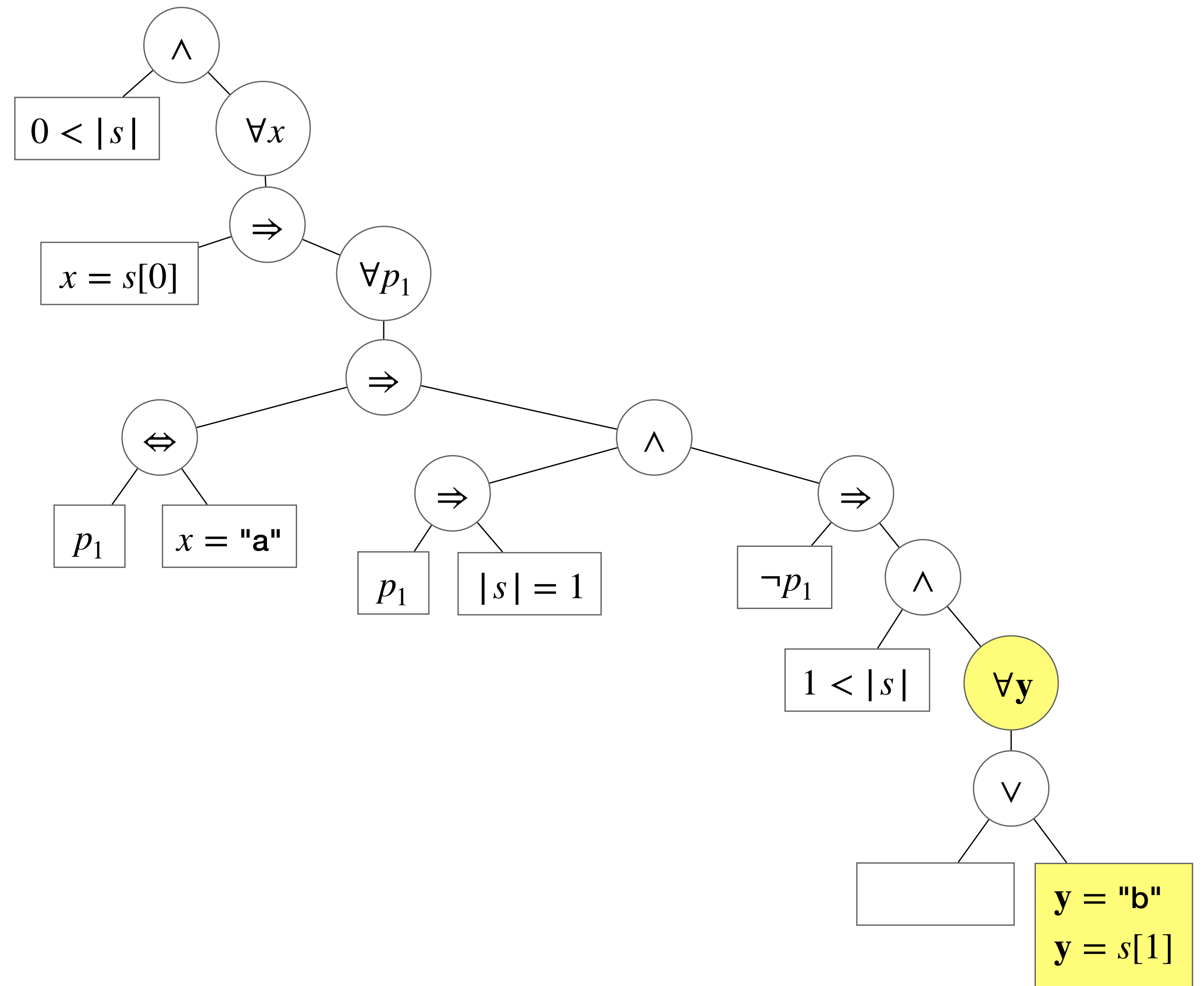
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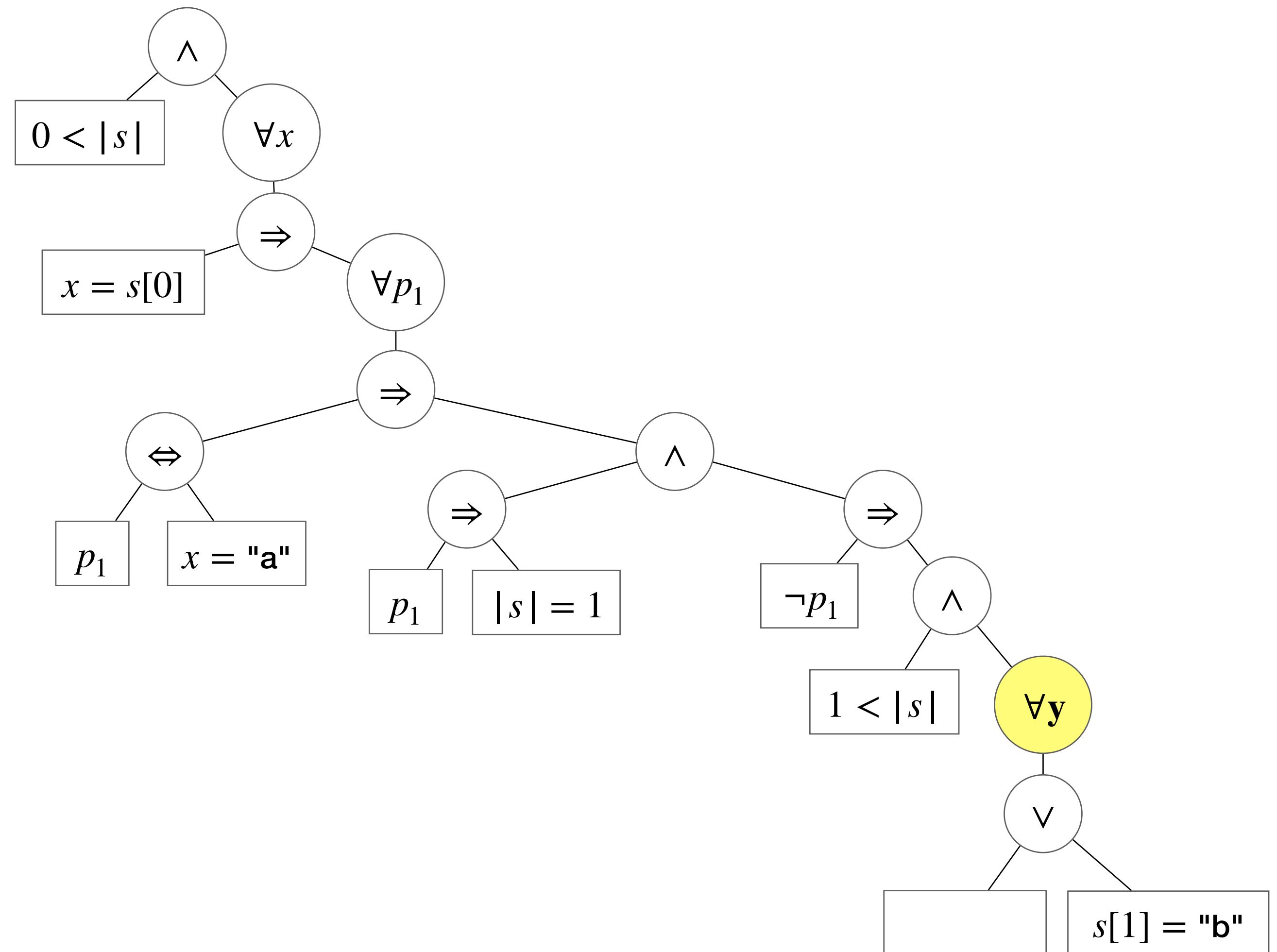
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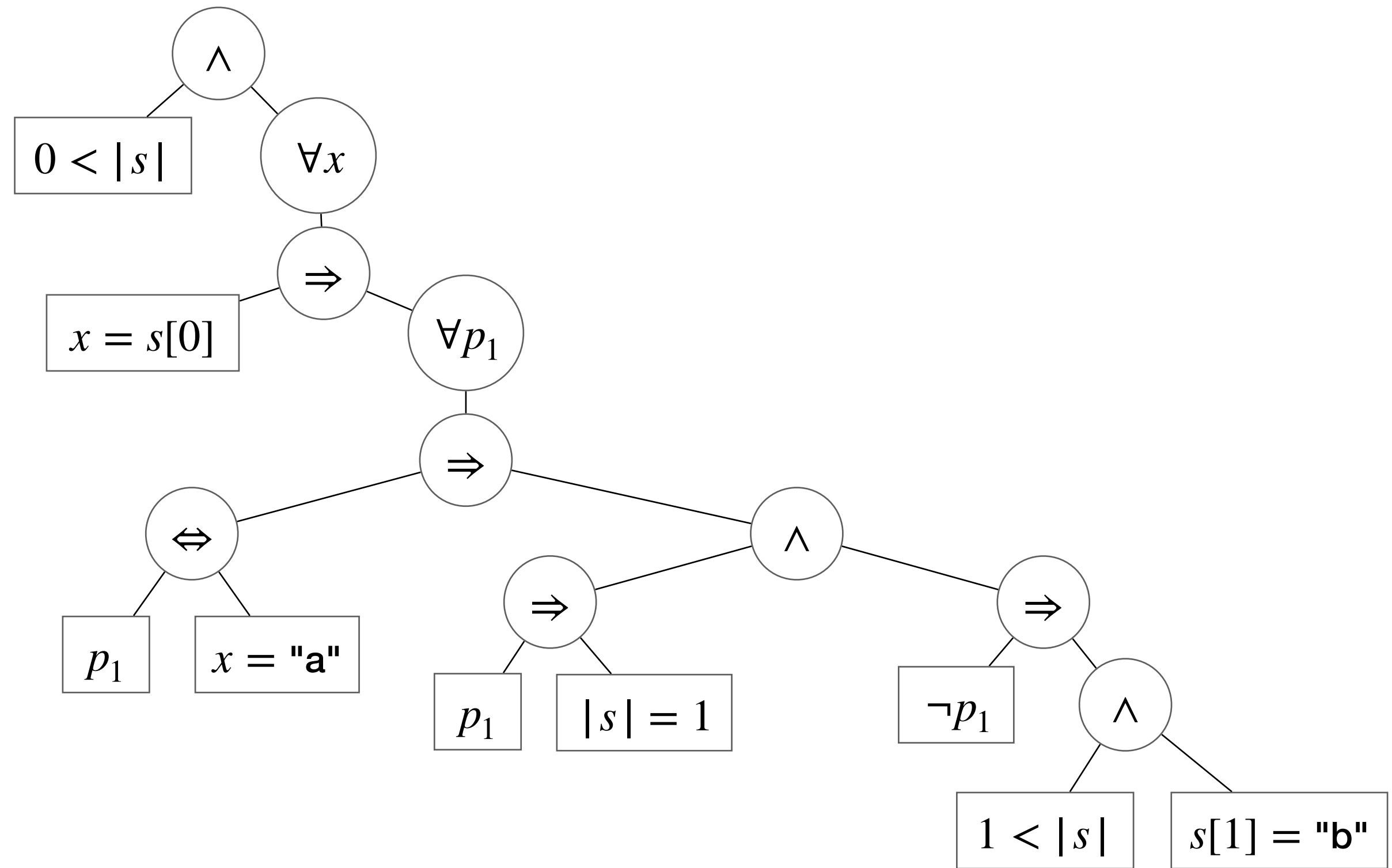
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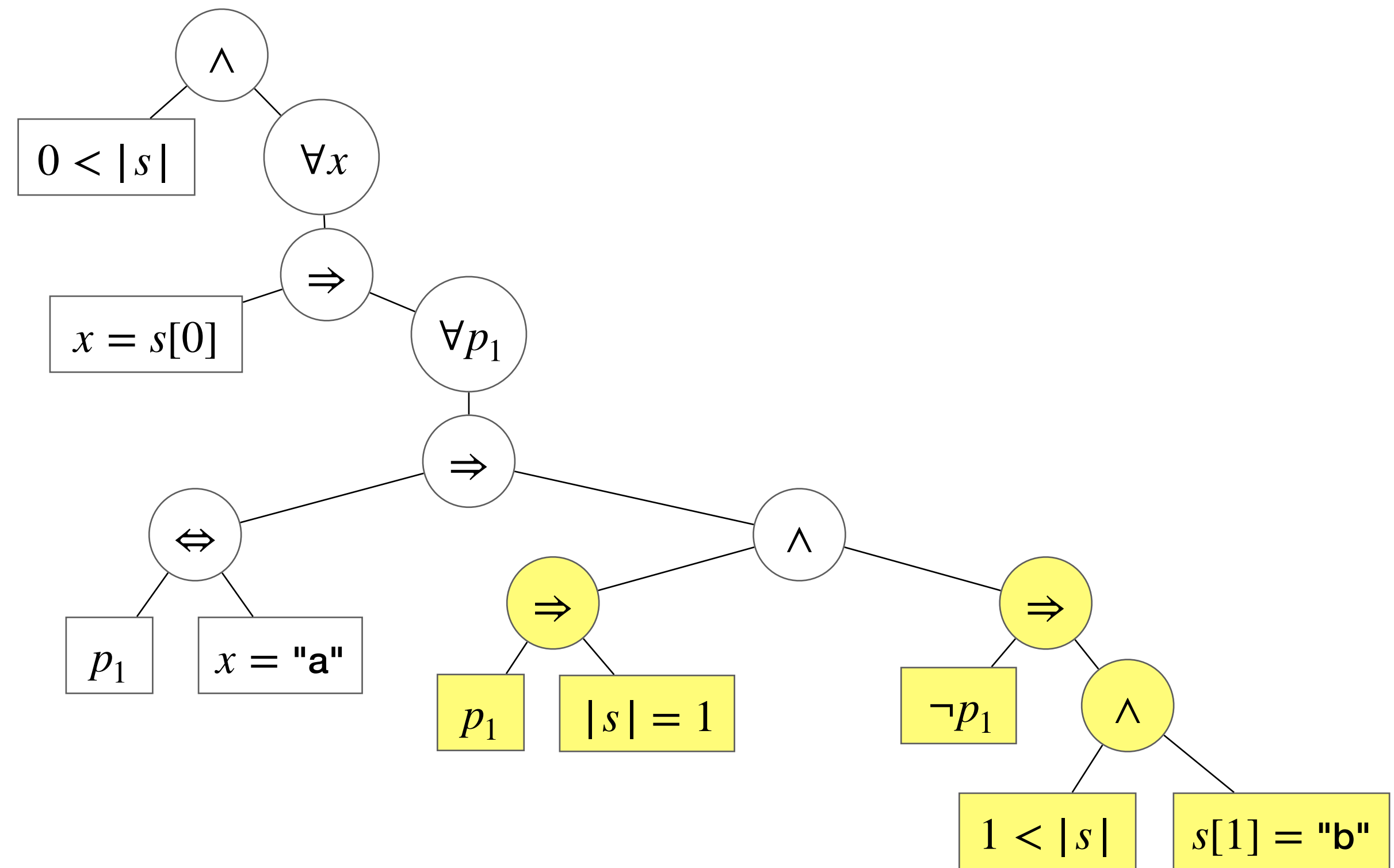
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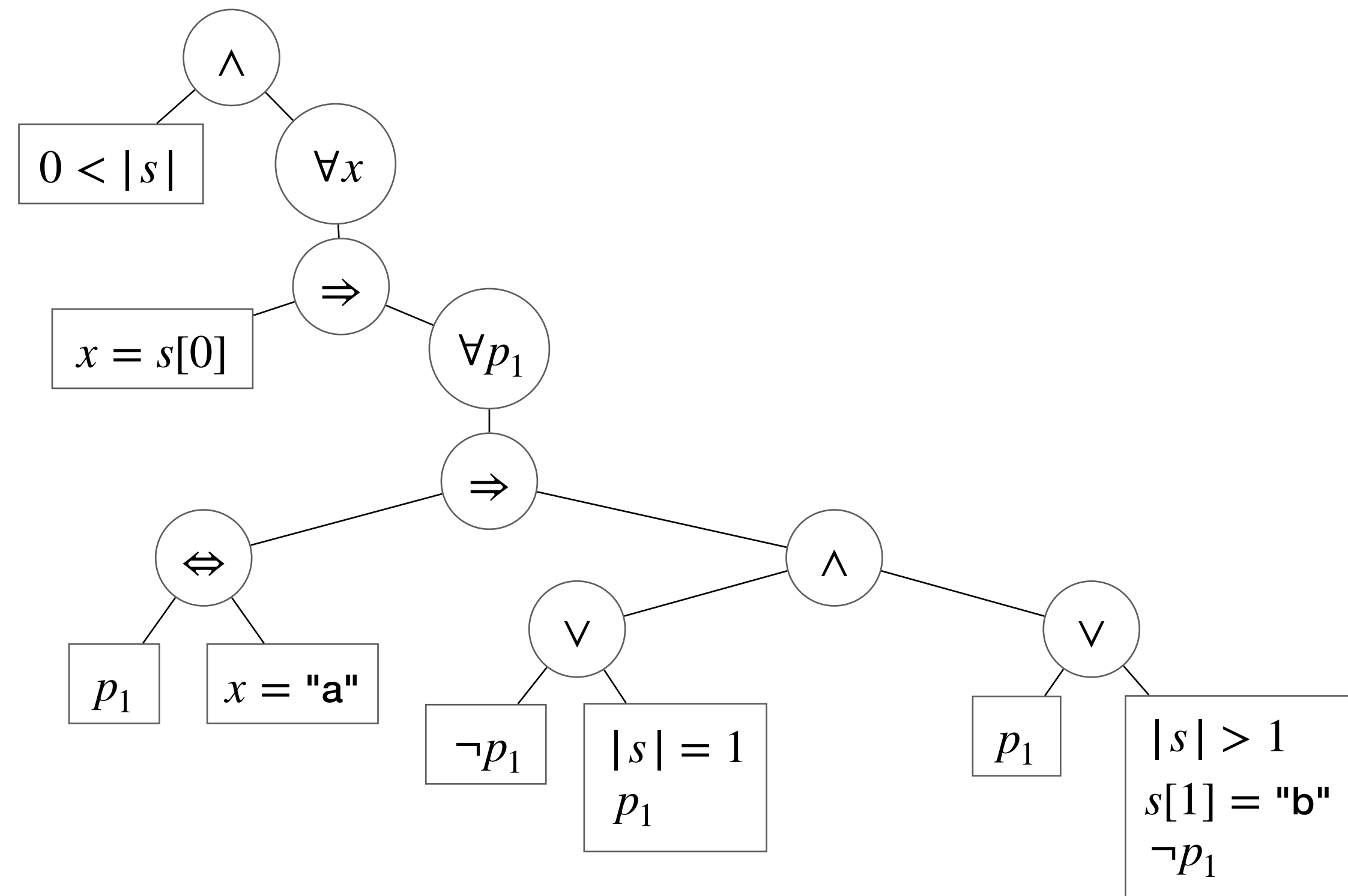
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$$a \Rightarrow b \quad \rightarrow \quad \neg a \vee (a \sqcap b)$$

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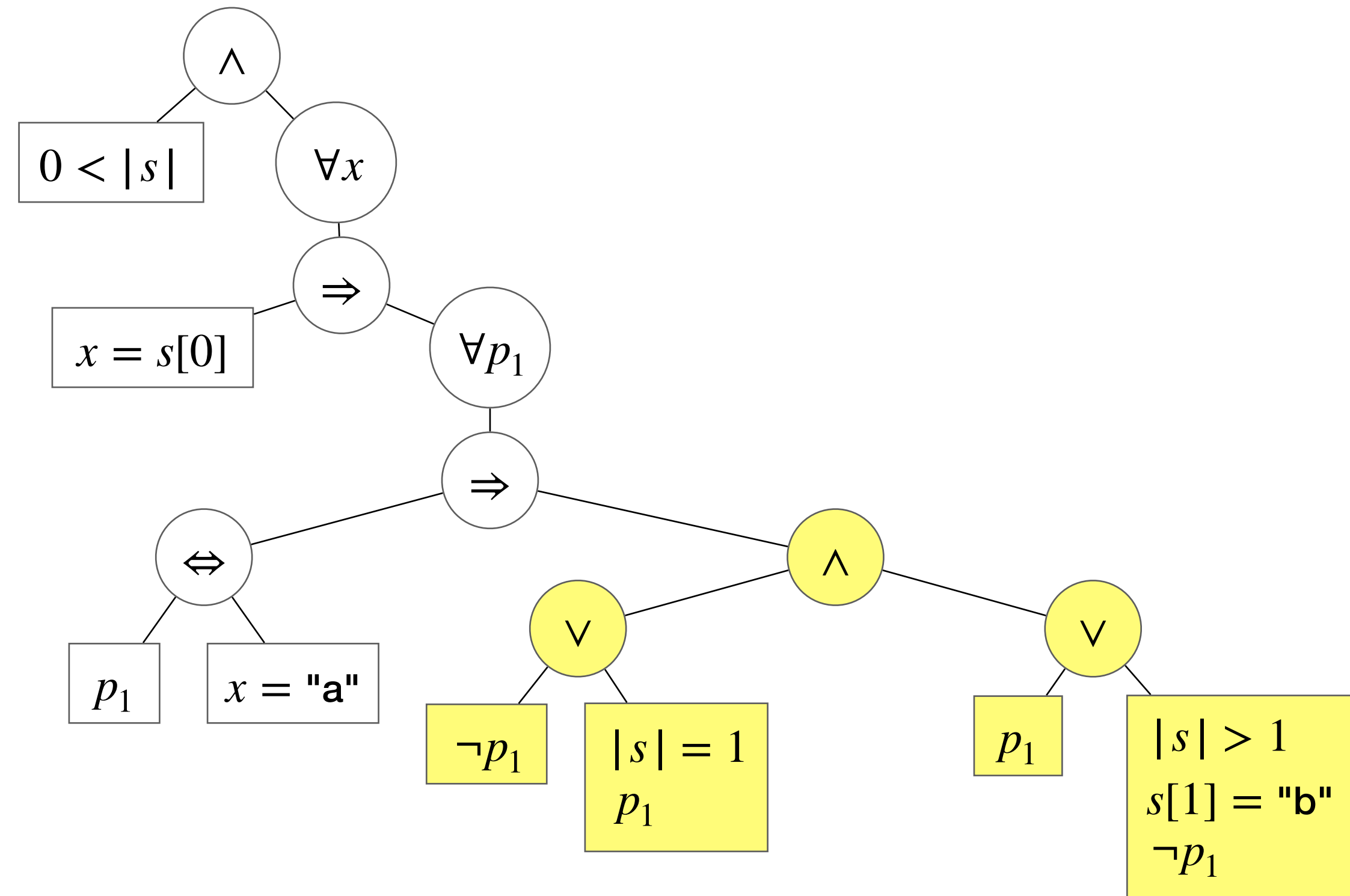
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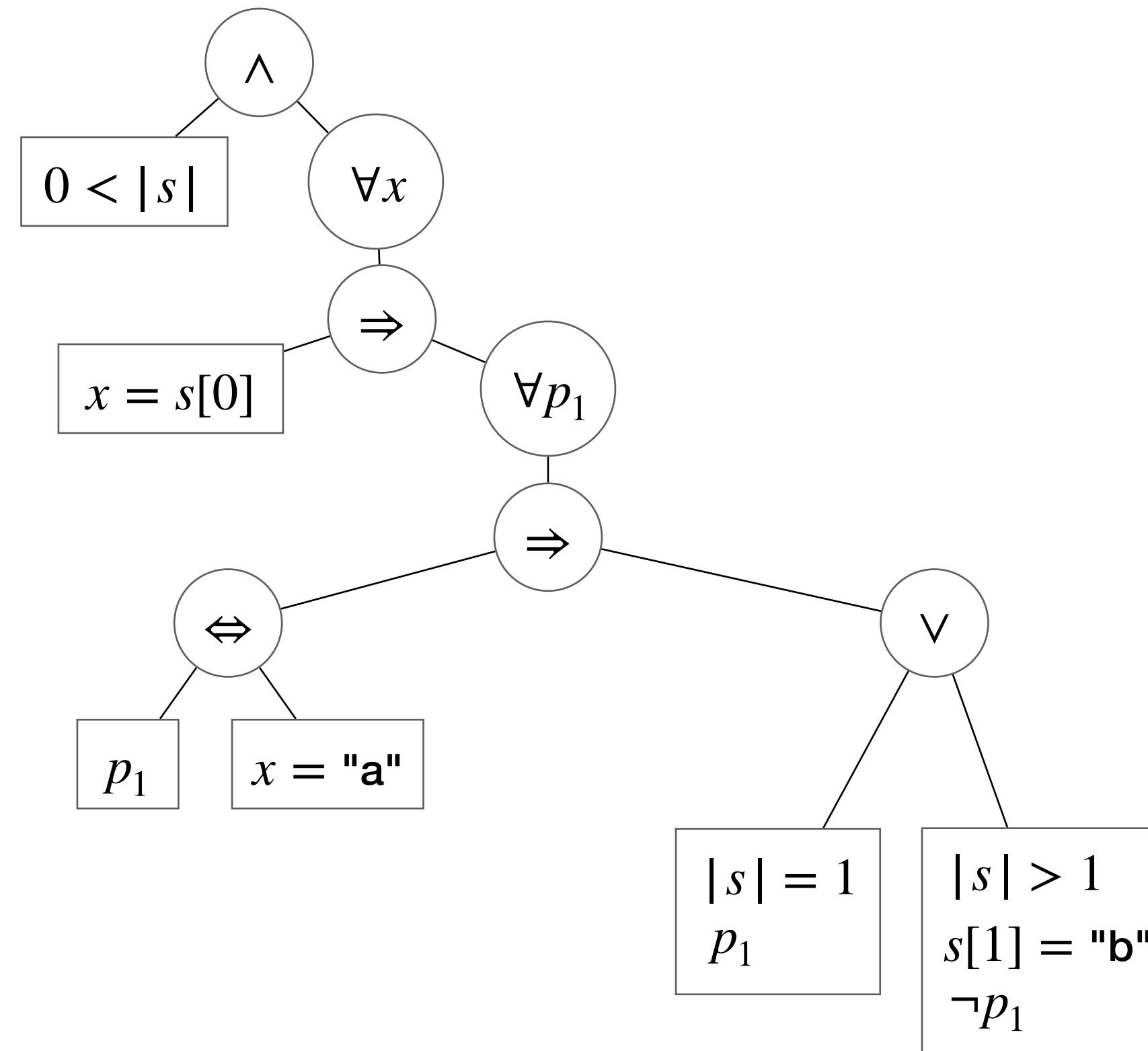
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$$(a \vee b) \wedge (\neg a \vee c) \rightarrow b \vee c$$

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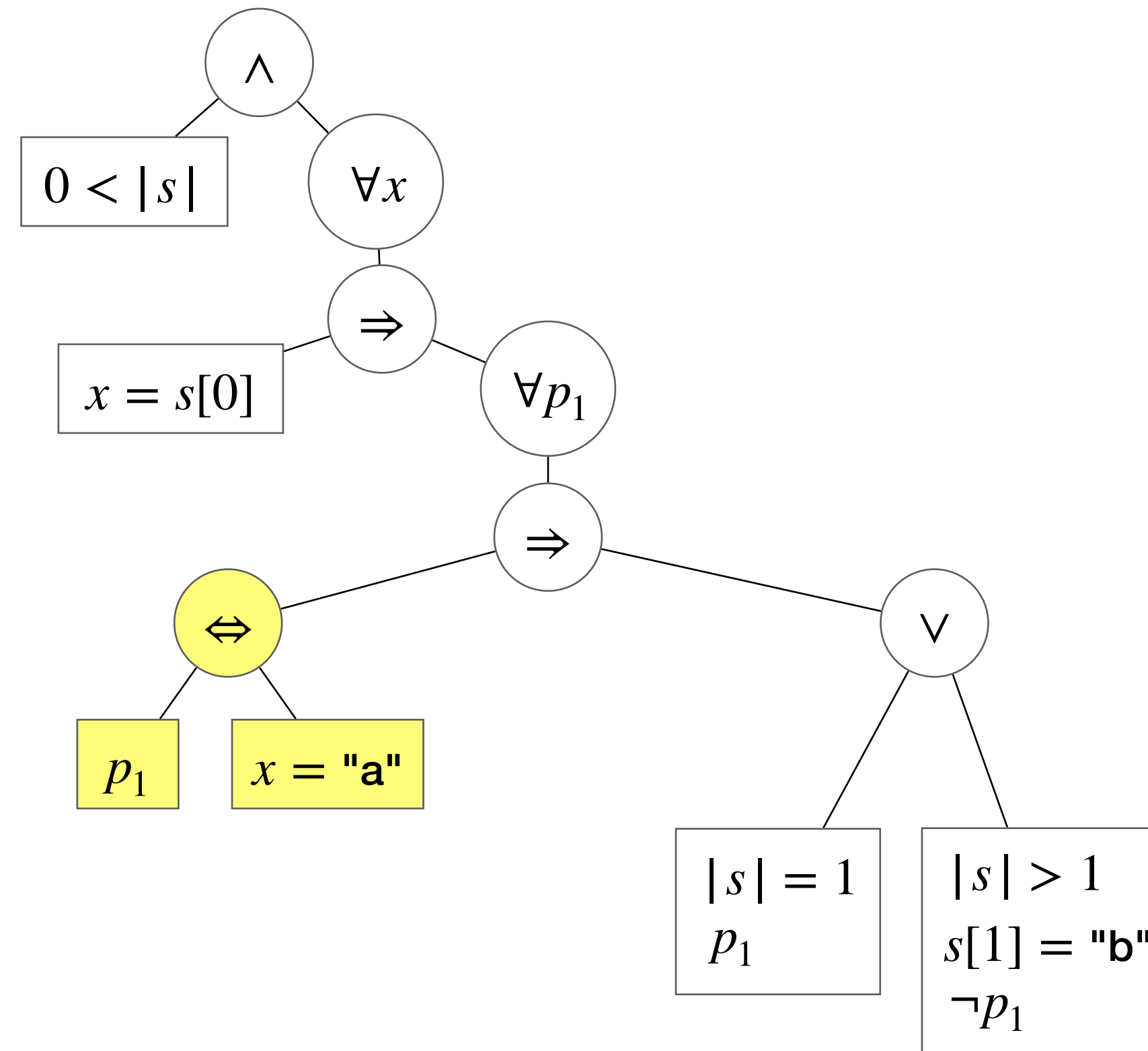
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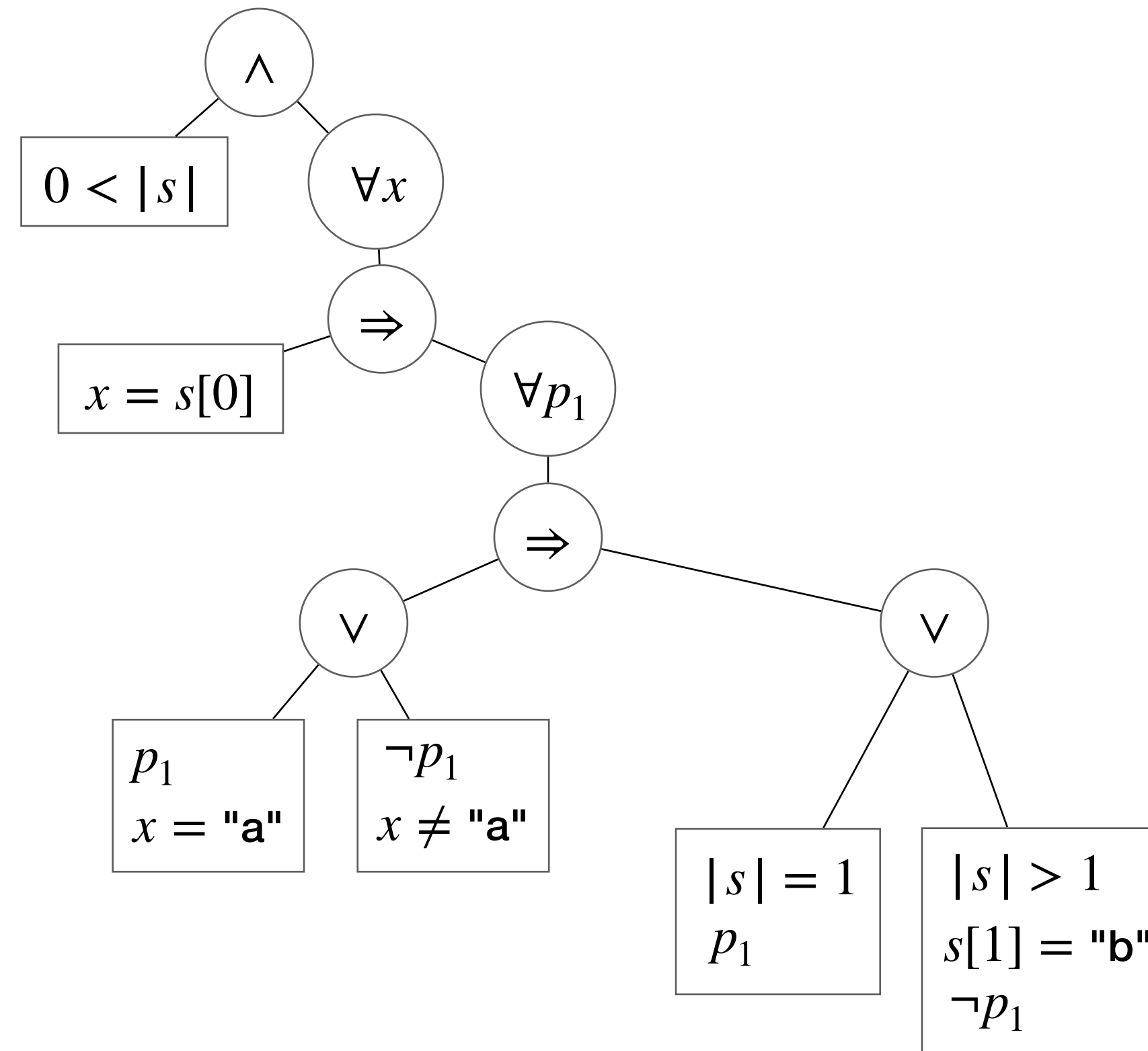
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$$a \Leftrightarrow b \quad \rightarrow \quad (\neg a \wedge \neg b) \vee (a \wedge b)$$

Grammar Solving

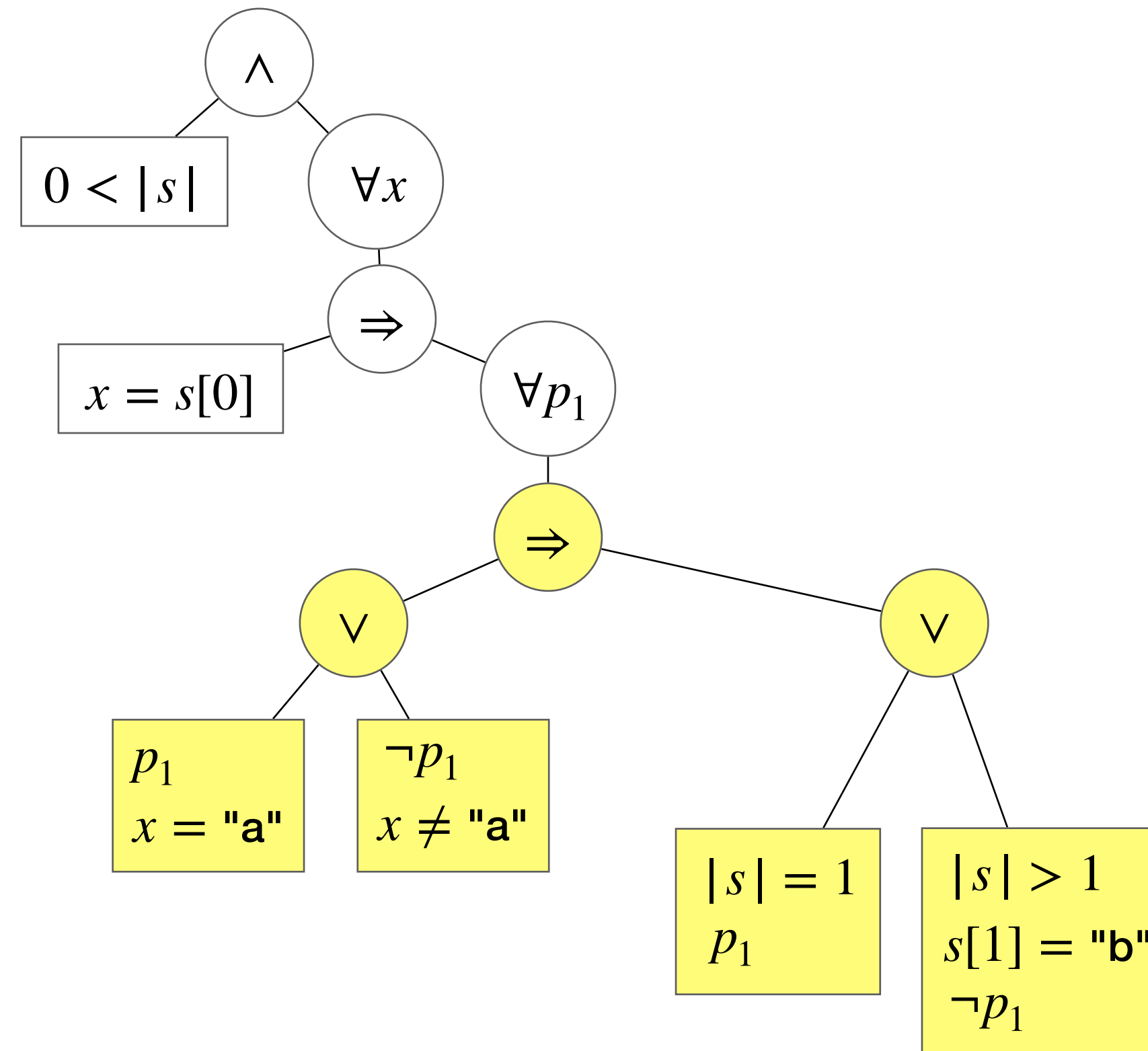
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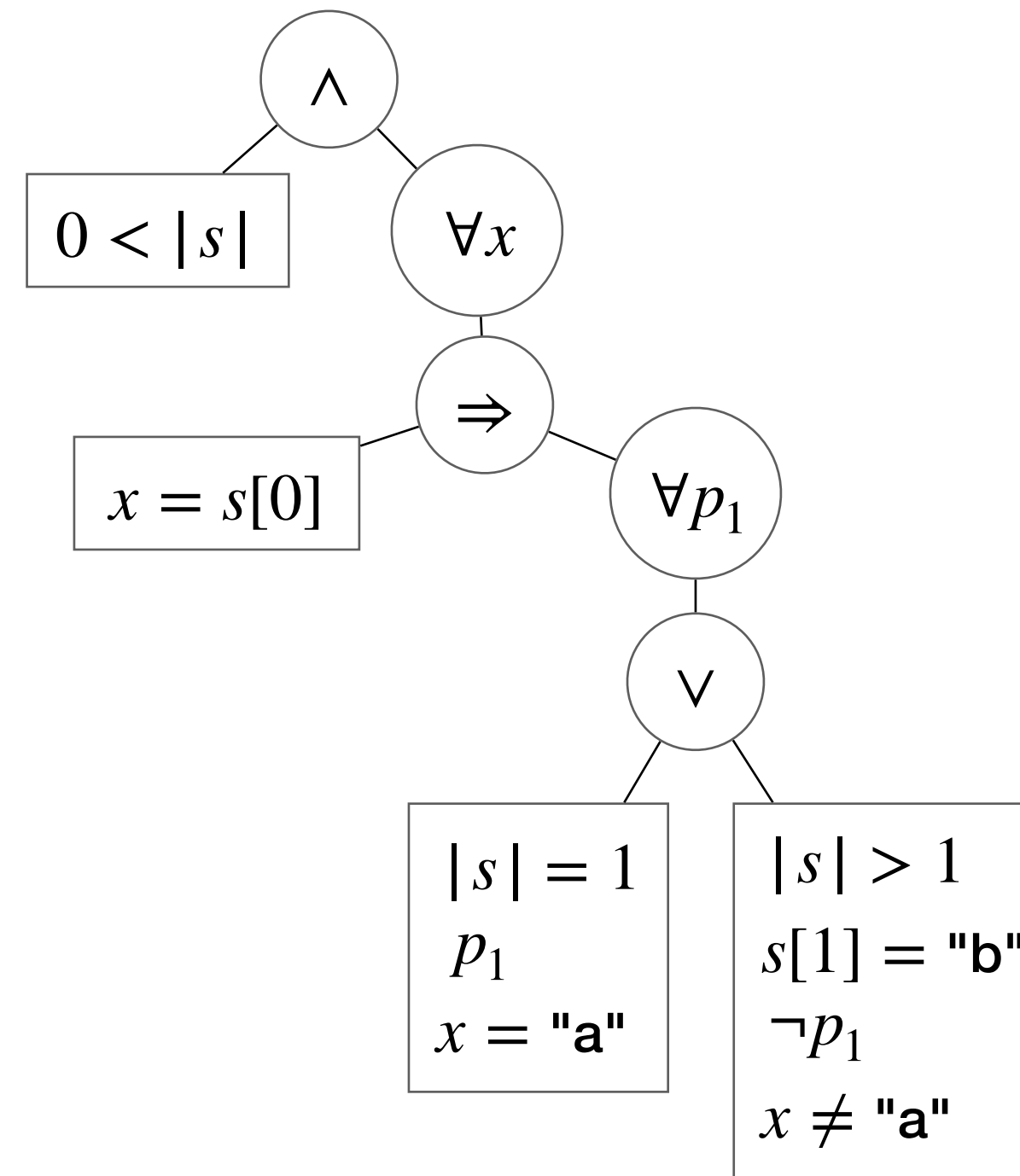


$$(a \vee b) \Rightarrow c \quad \rightarrow \quad (a \Rightarrow c) \vee (b \Rightarrow c)$$

$$a \Rightarrow b \quad \rightarrow \quad \neg a \vee (a \sqcap b)$$

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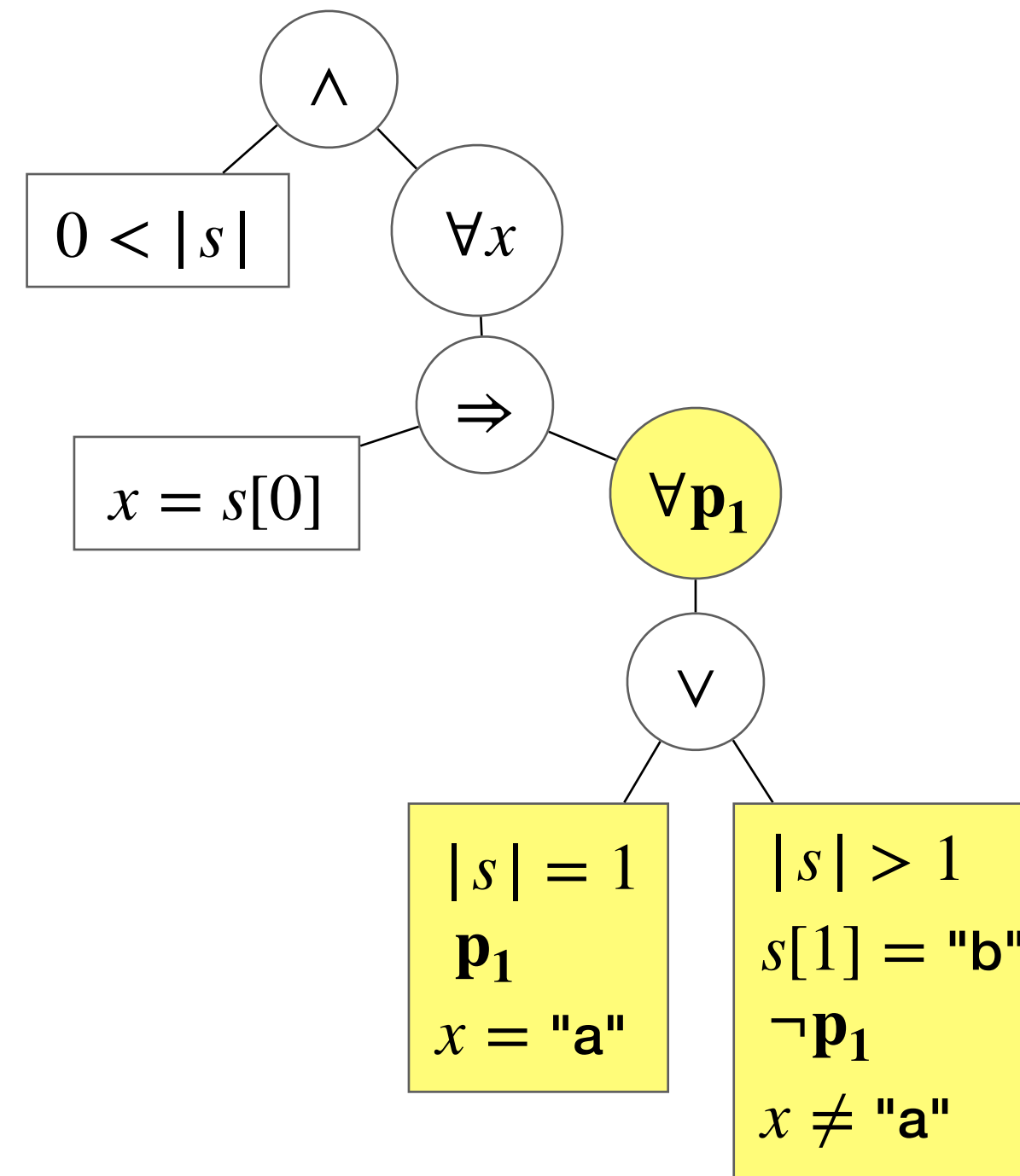


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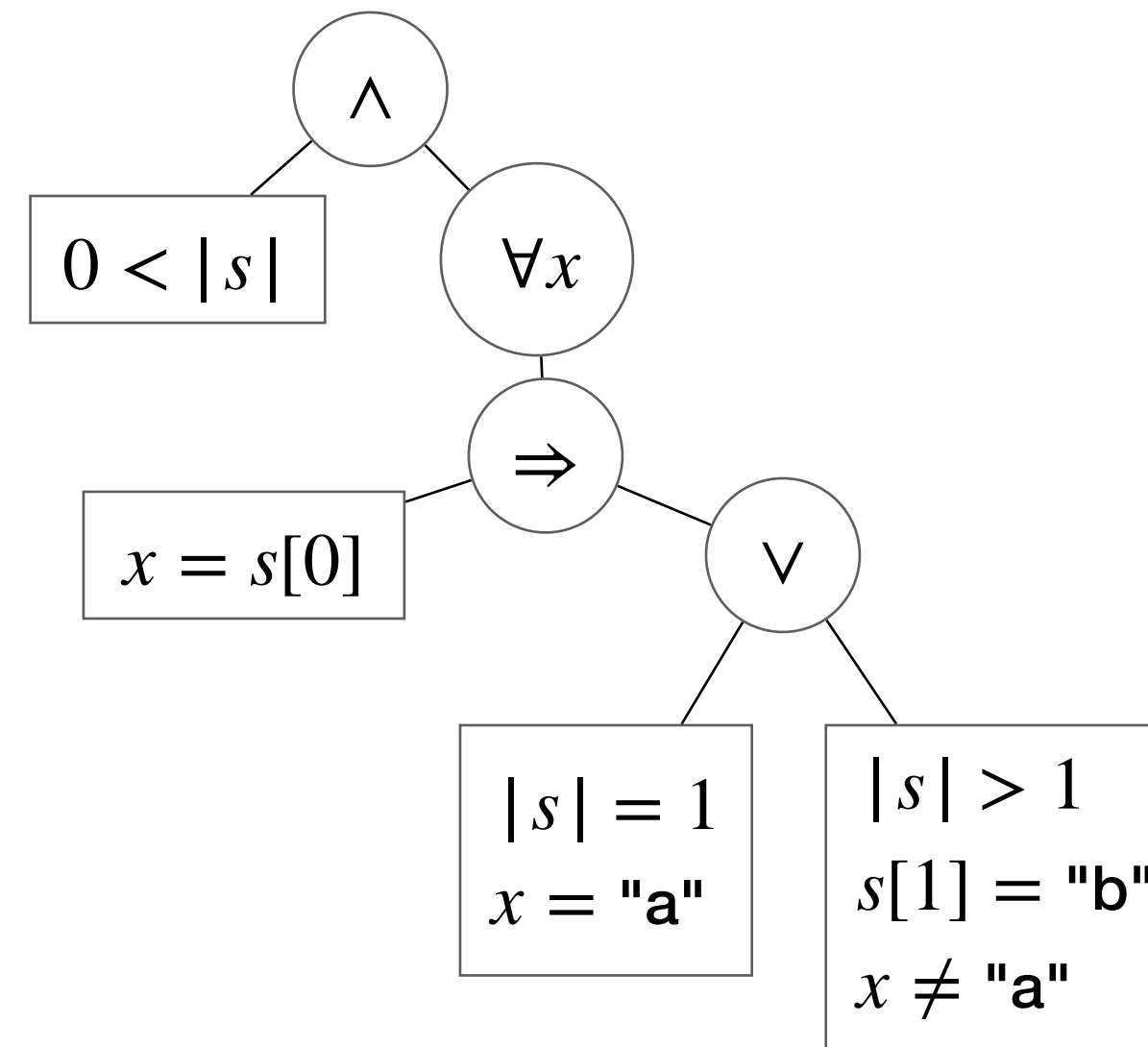
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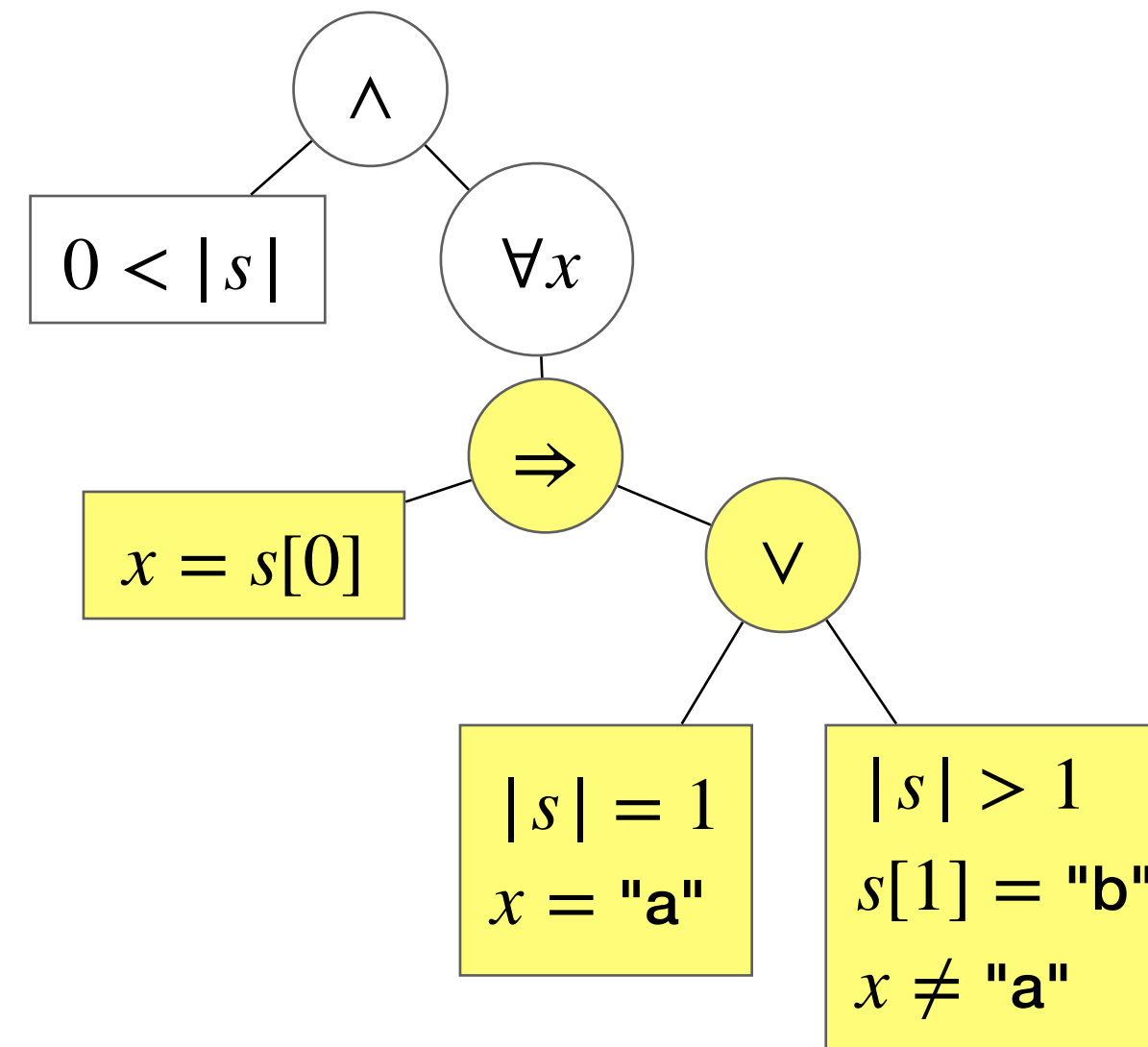
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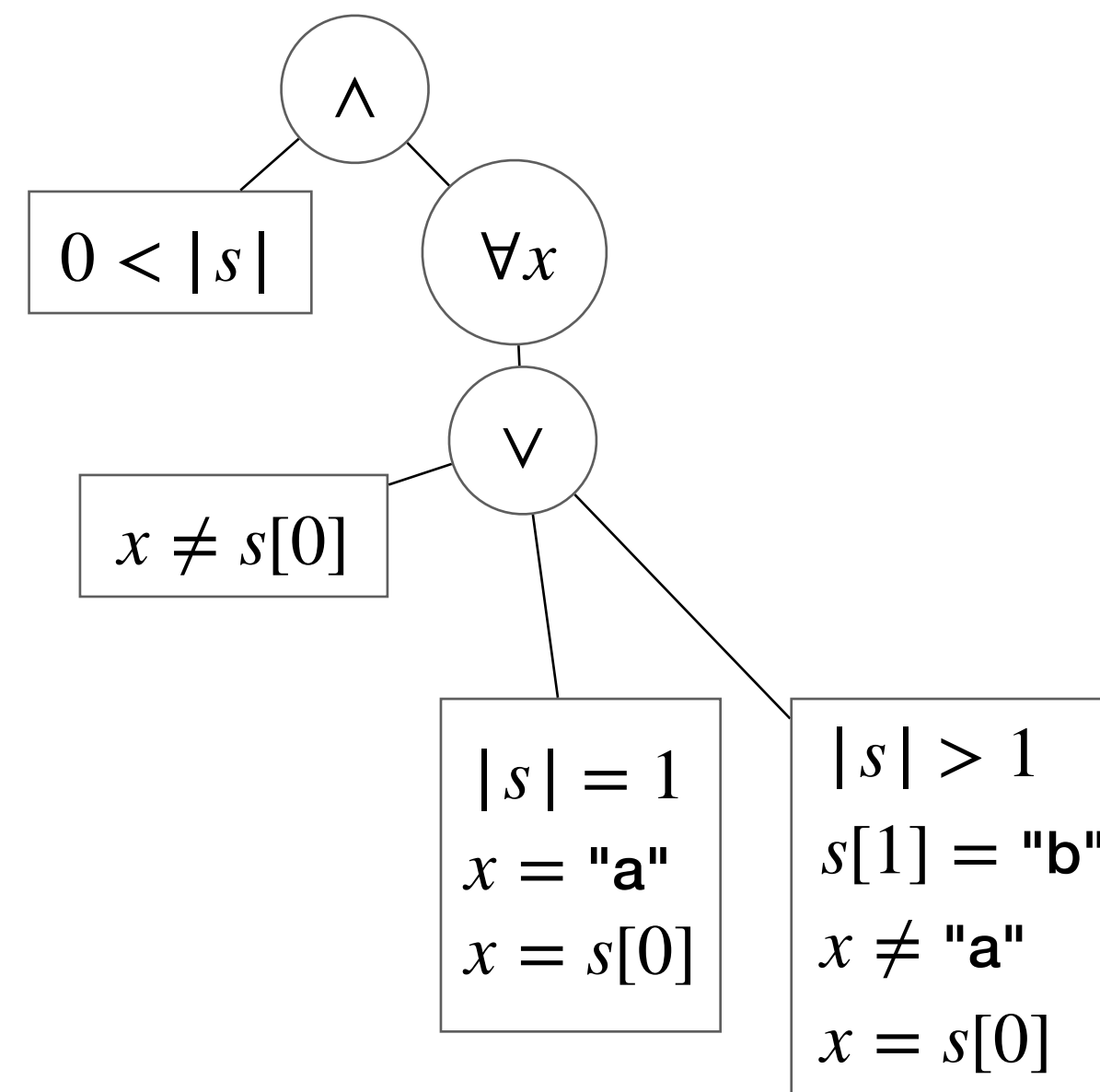
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$$a \Rightarrow b \quad \rightarrow \quad \neg a \vee (a \wedge b)$$

Grammar Solving

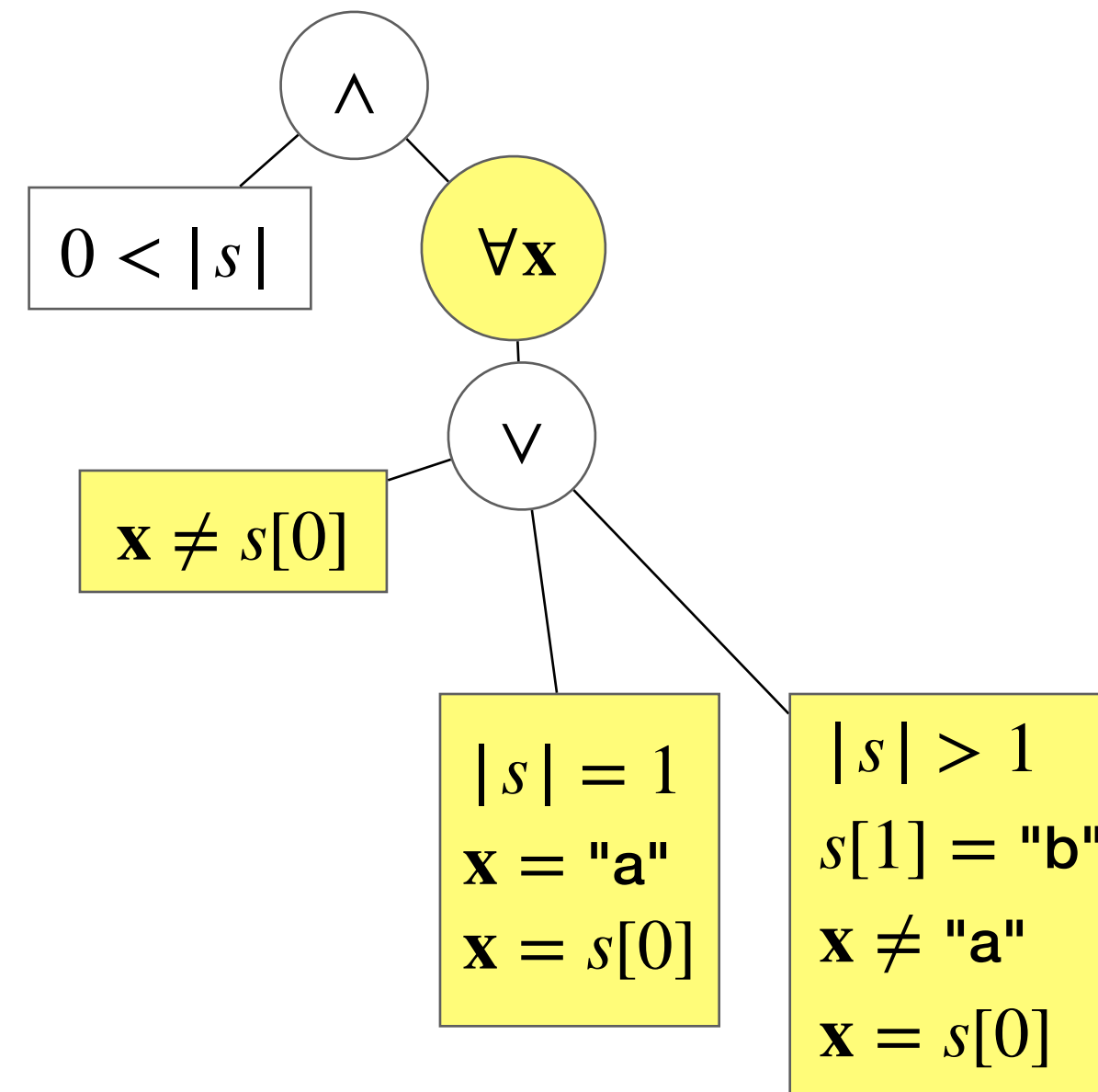
- base solution on “grammar consequent”
- minimize via bottom-up tree rewriting
- apply Boolean equivalences to reach DNF
- eliminate quantifiers by resolving equations
- use (precise) abstract value representations



$$a \Rightarrow b \quad \rightarrow \quad \neg a \vee (a \sqcap b)$$

Grammar Solving

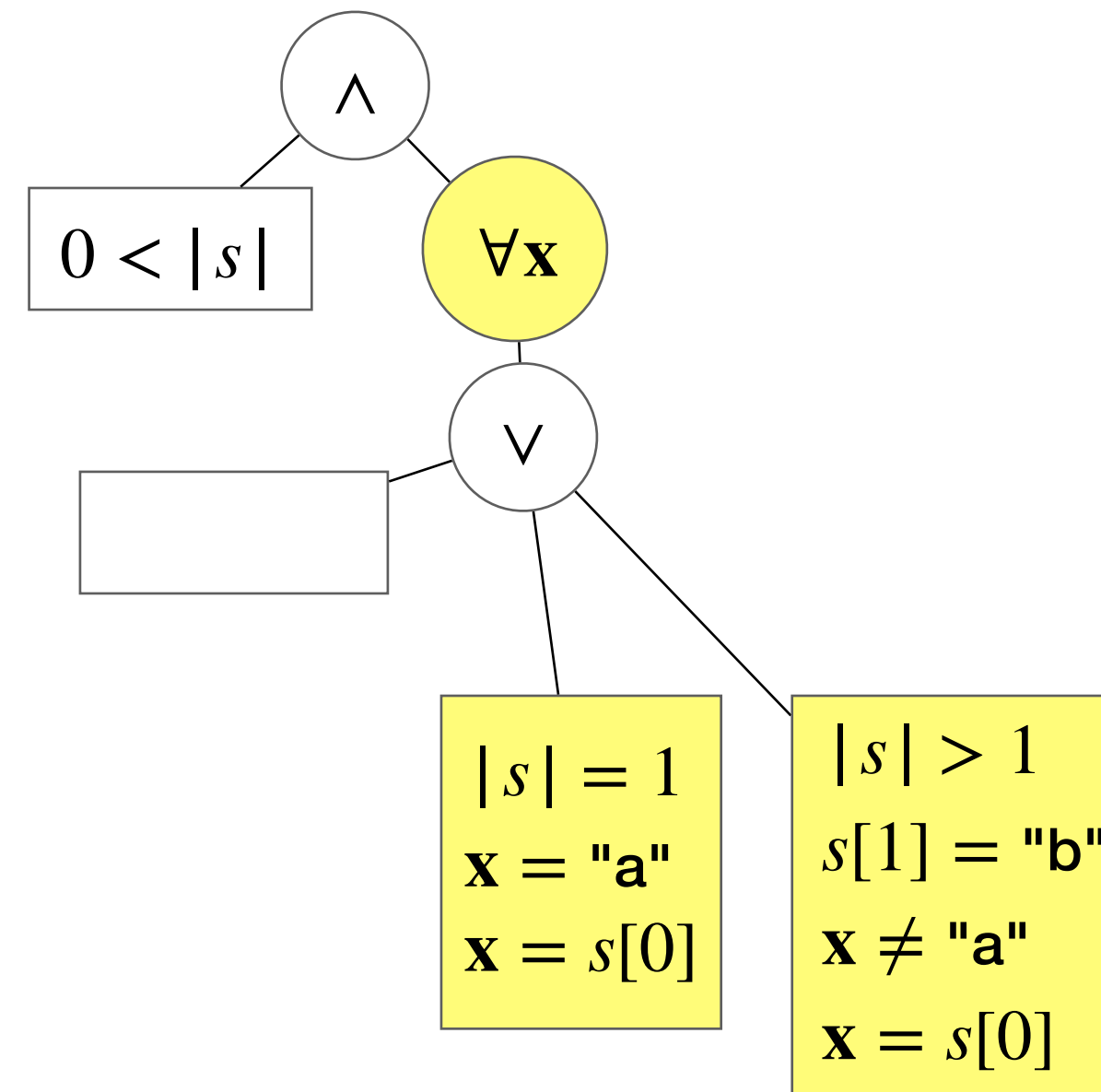
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$\forall x . \varphi \quad \rightarrow \quad \text{resolve } x \text{ in } \varphi$

Grammar Solving

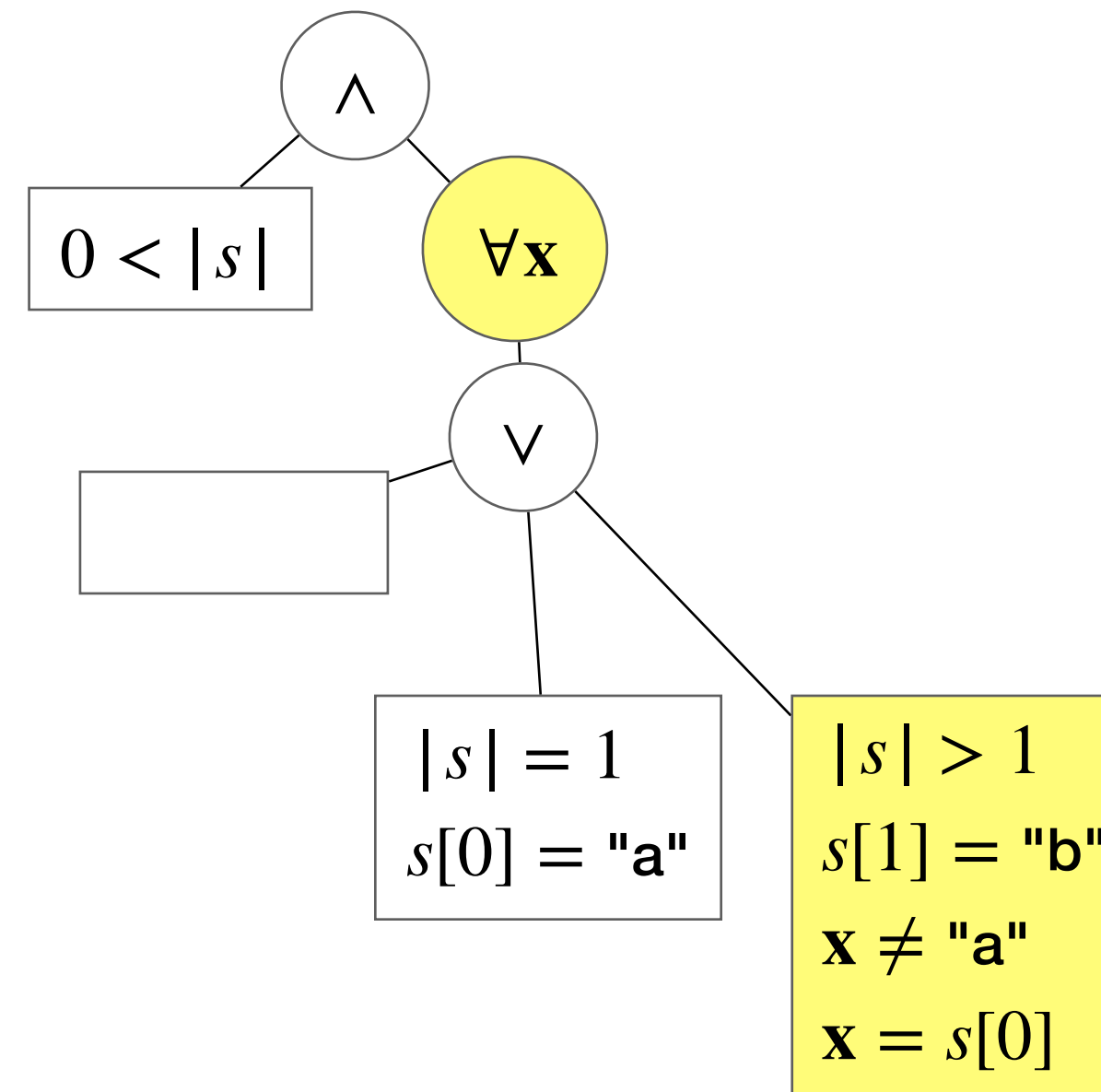
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Grammar Solving

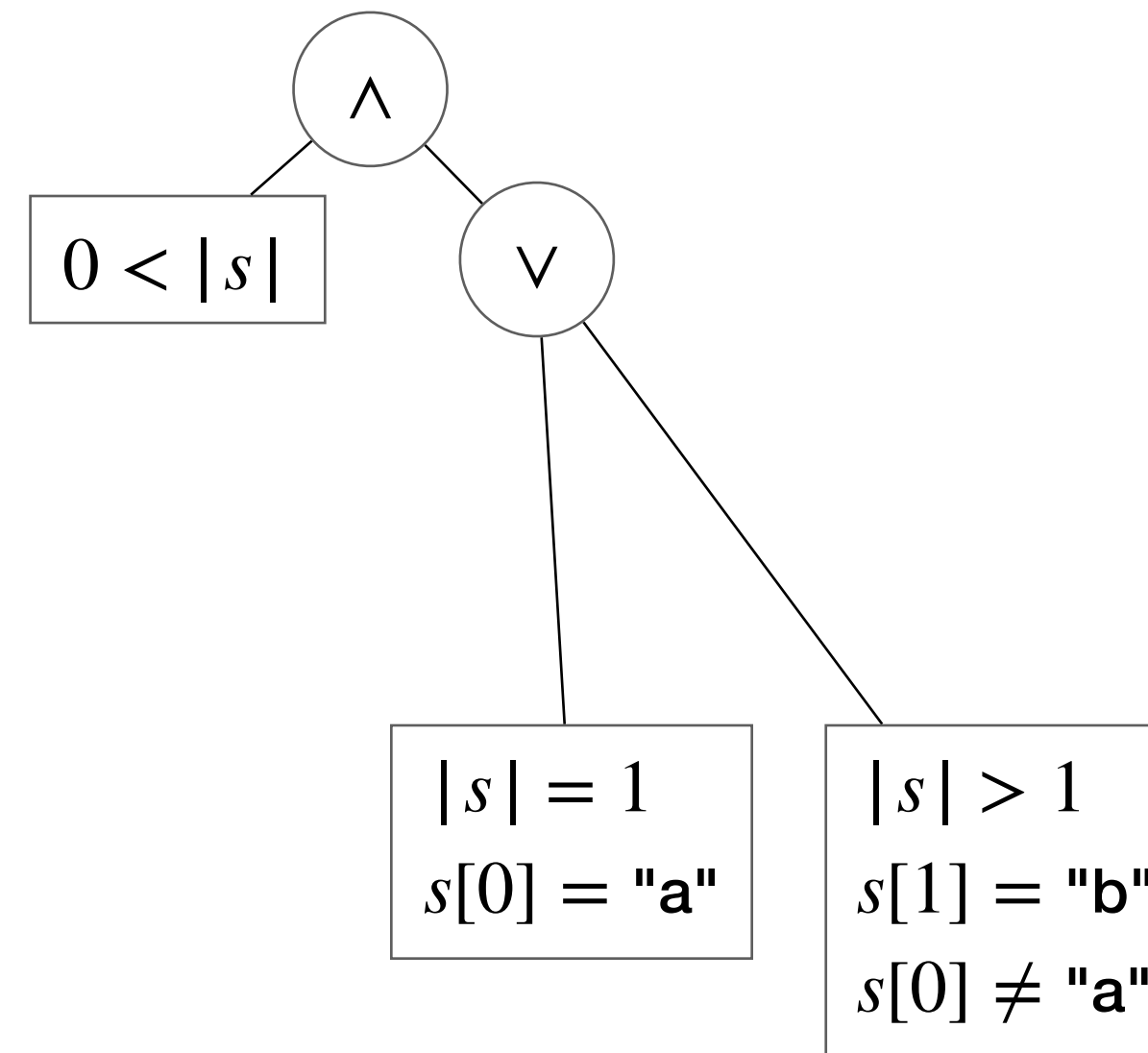
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Grammar Solving

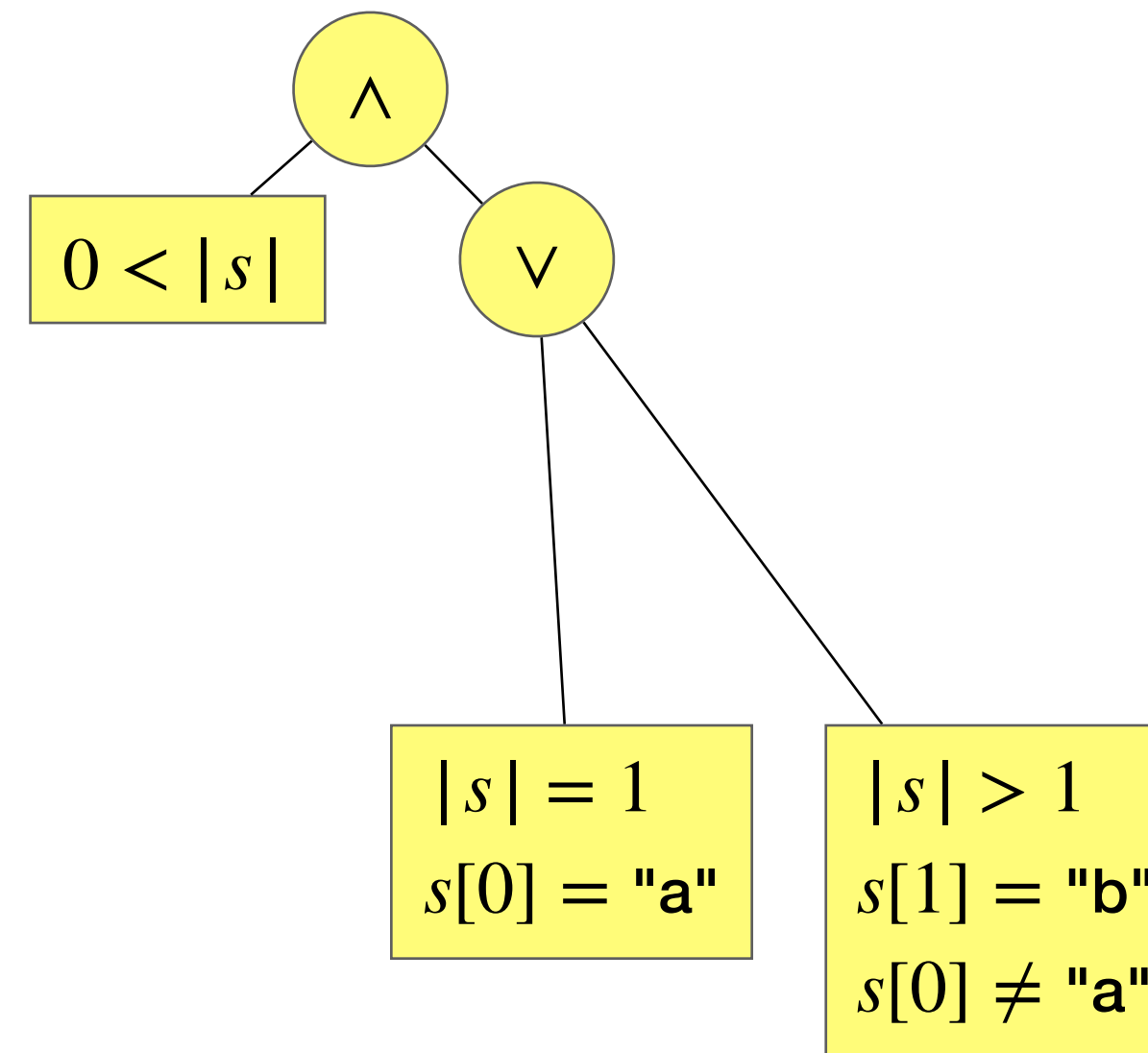
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Grammar Solving

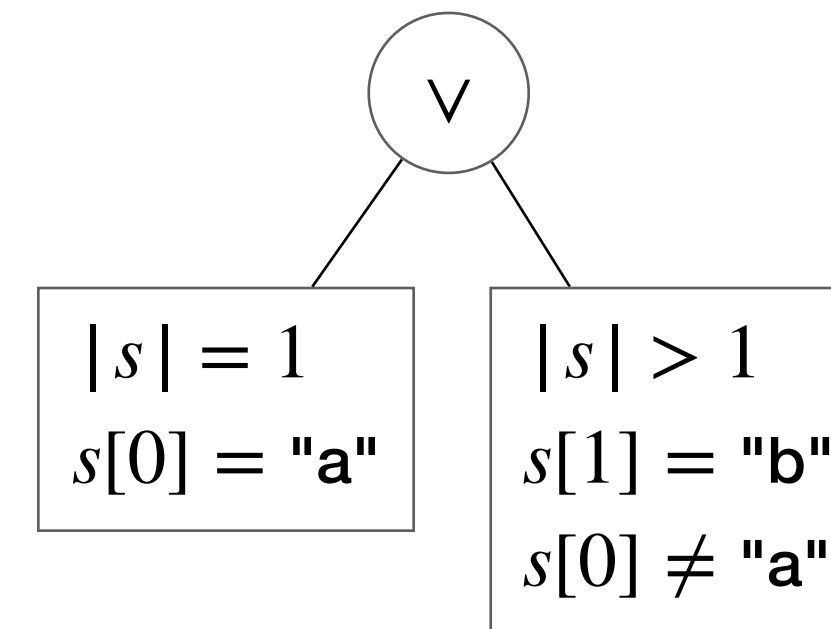
- base solution on “grammar consequent”
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- eliminate quantifiers by resolving equations
- use (precise) abstract value representations



$$a \wedge (b \vee c) \quad \rightarrow \quad (a \wedge b) \vee (a \wedge c)$$

Grammar Solving

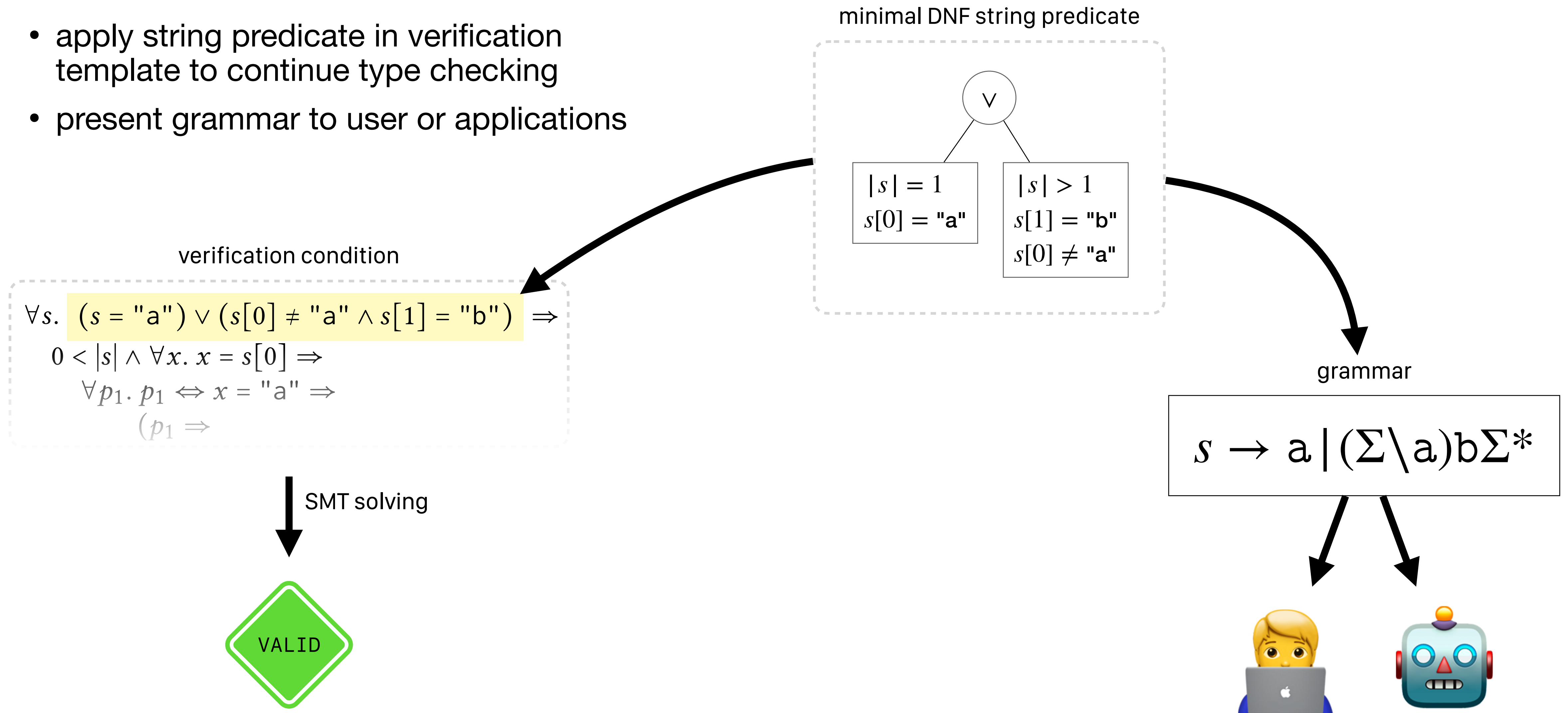
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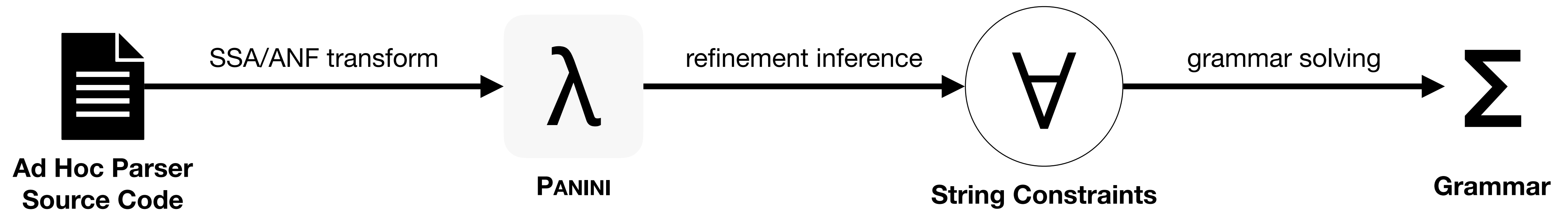


$$a \wedge (b \vee c) \quad \rightarrow \quad (a \wedge b) \vee (a \wedge c)$$

Enjoy your grammar!

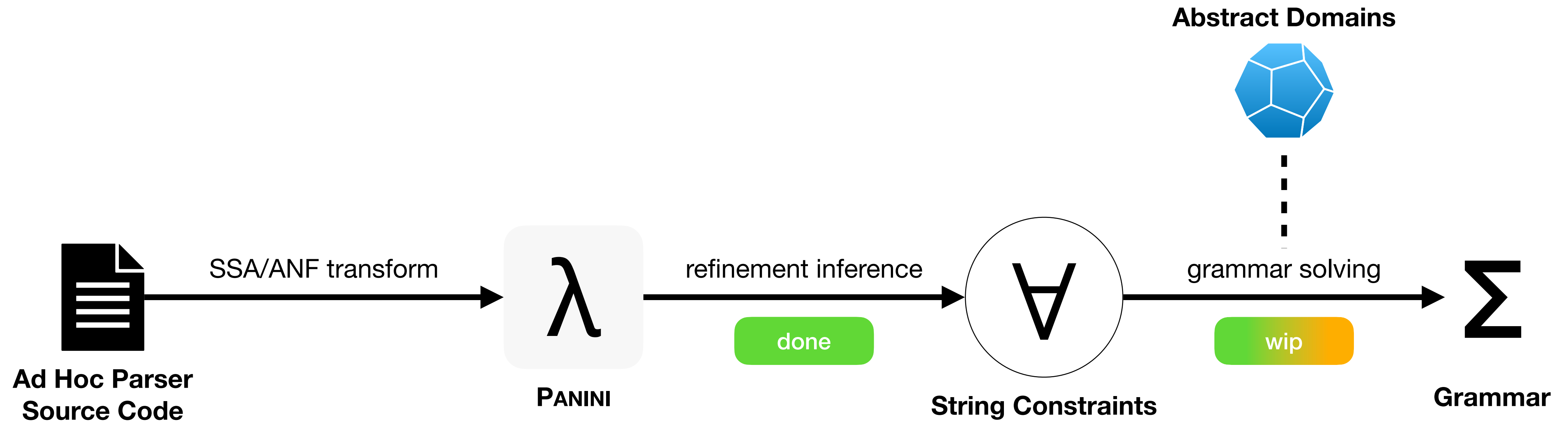
- apply string predicate in verification template to continue type checking
- present grammar to user or applications

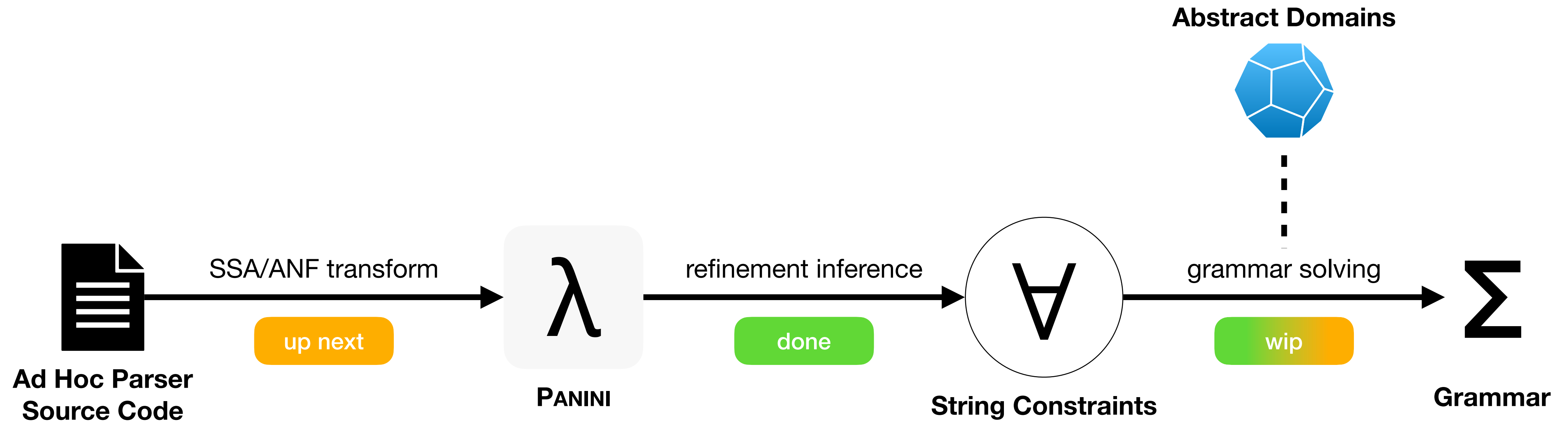




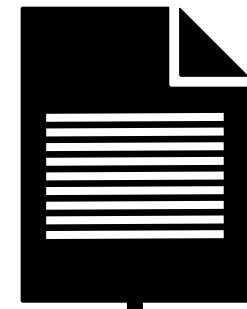








Full Source Code



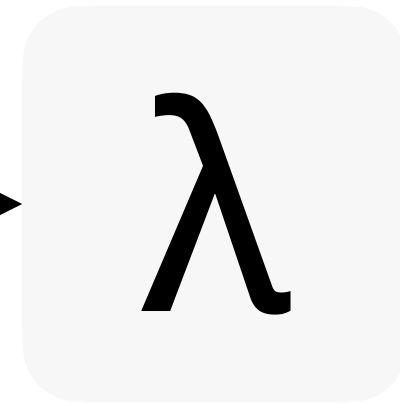
program slicing



Ad Hoc Parser
Source Code

SSA/ANF transform

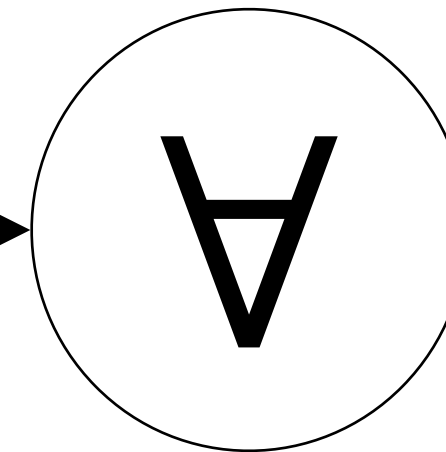
up next



PANINI

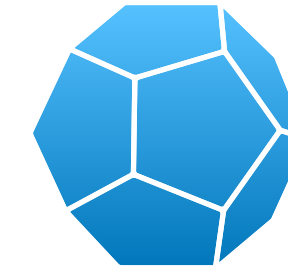
refinement inference

done



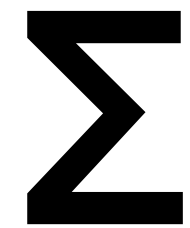
String Constraints

Abstract Domains

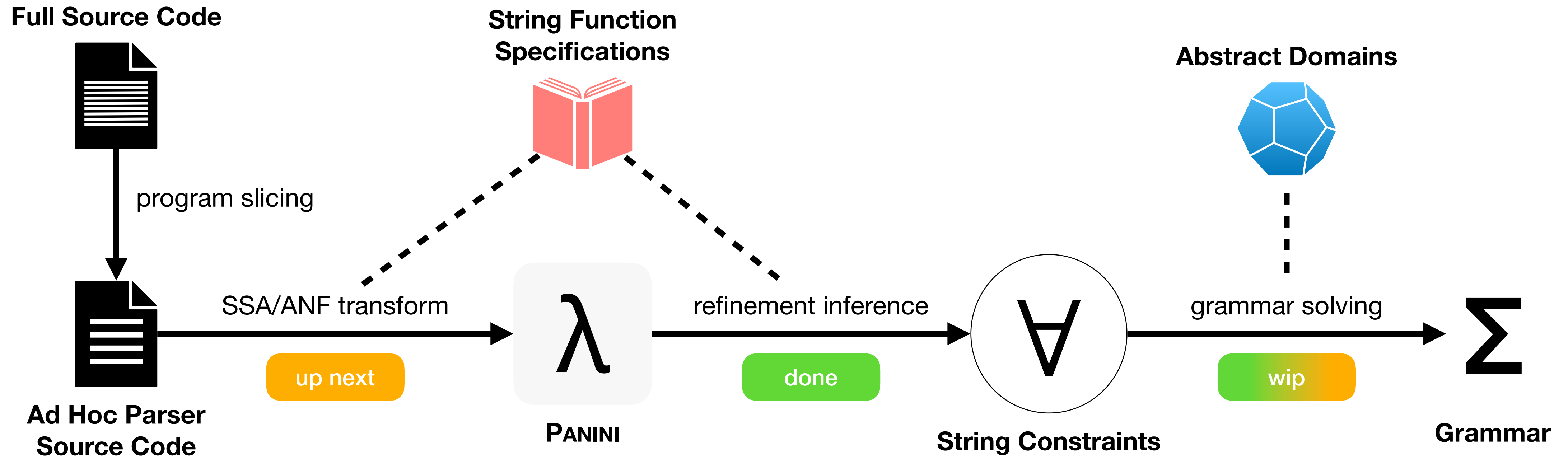


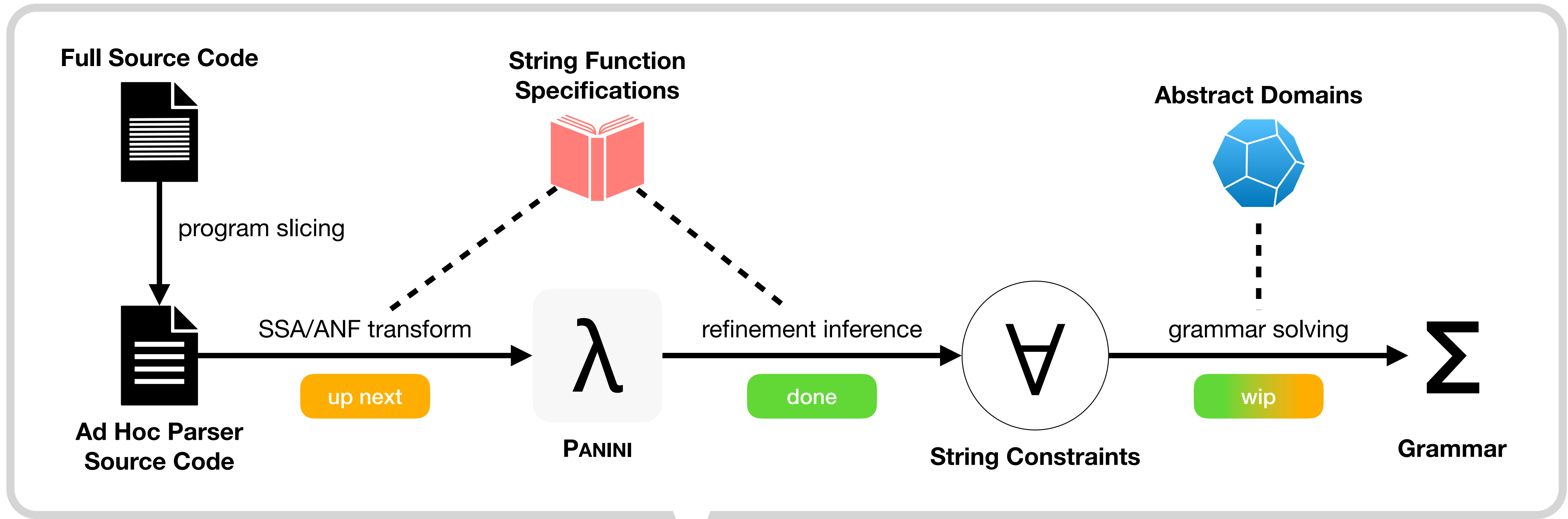
grammar solving

wip



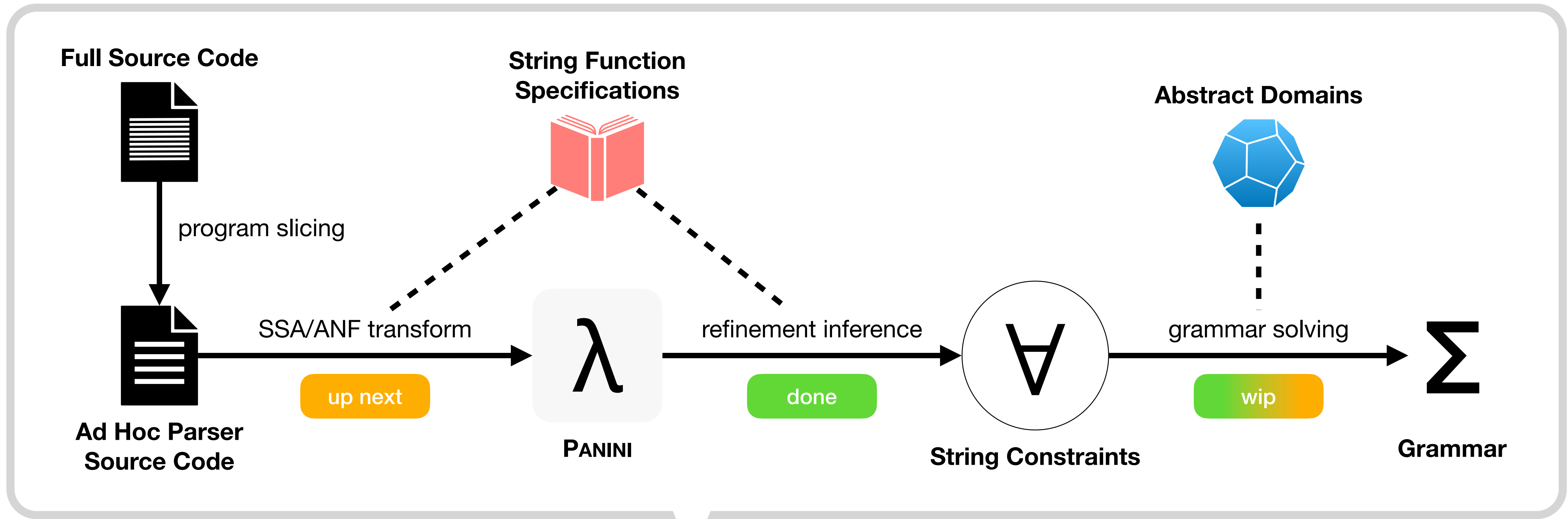
Grammar






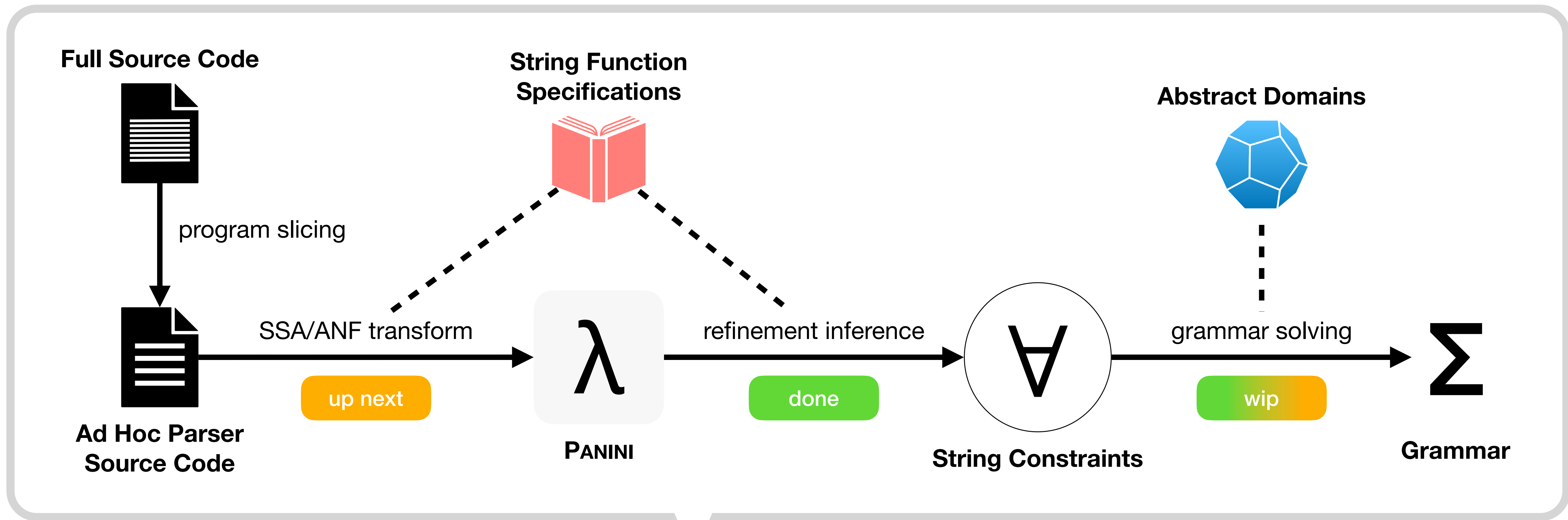
**Engineering
End-to-End System**


ongoing




**Engineering
End-to-End System**
ongoing

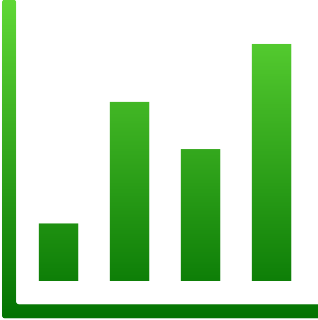

**Application
Prototypes**

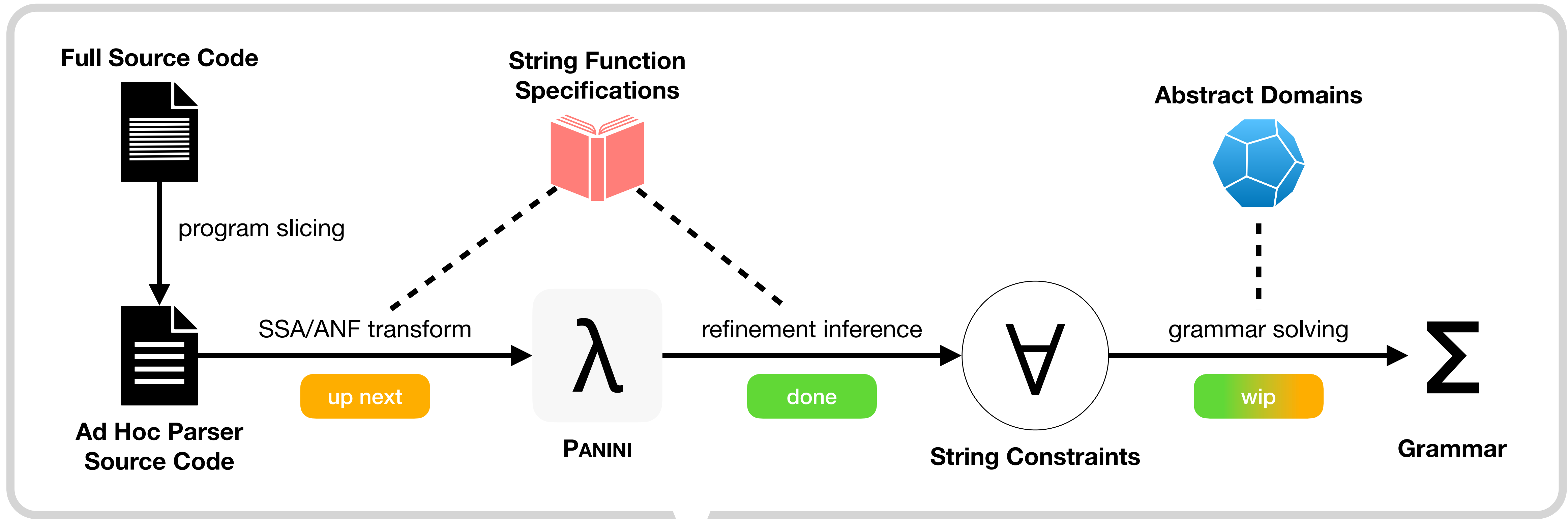




**Engineering
 End-to-End System**

ongoing



**Application
 Prototypes**


**Evaluation on
 Ad Hoc Parser Corpus**

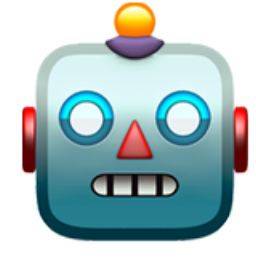


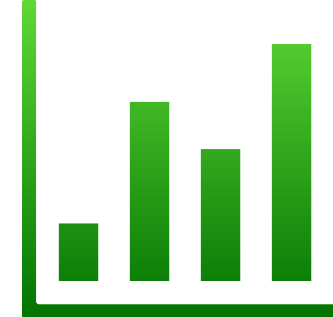
- 

Mining Study of Ad Hoc Parsers

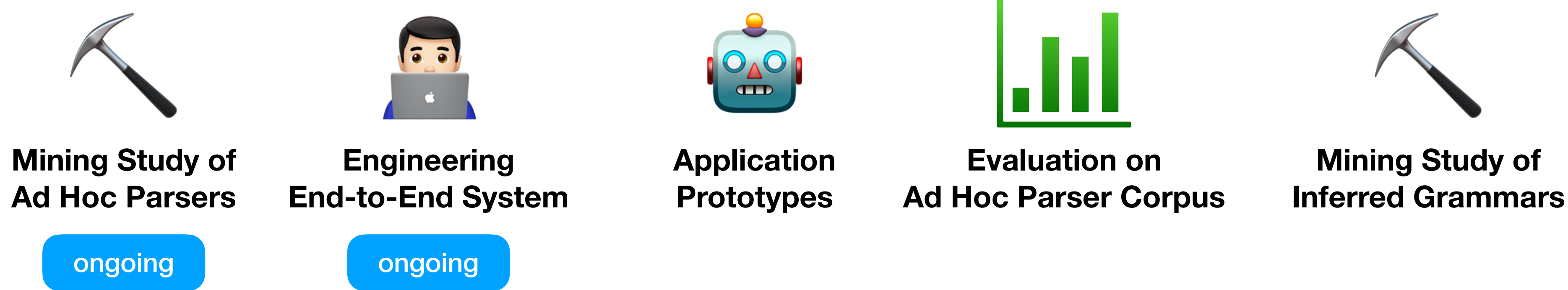
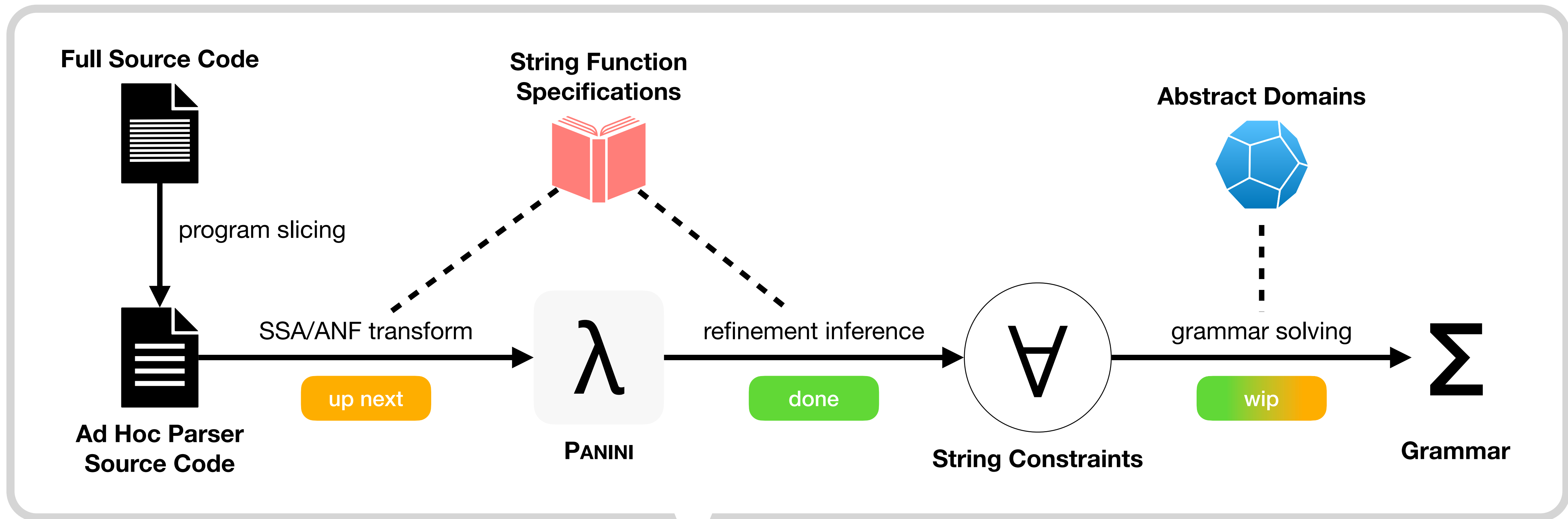
ongoing
- 

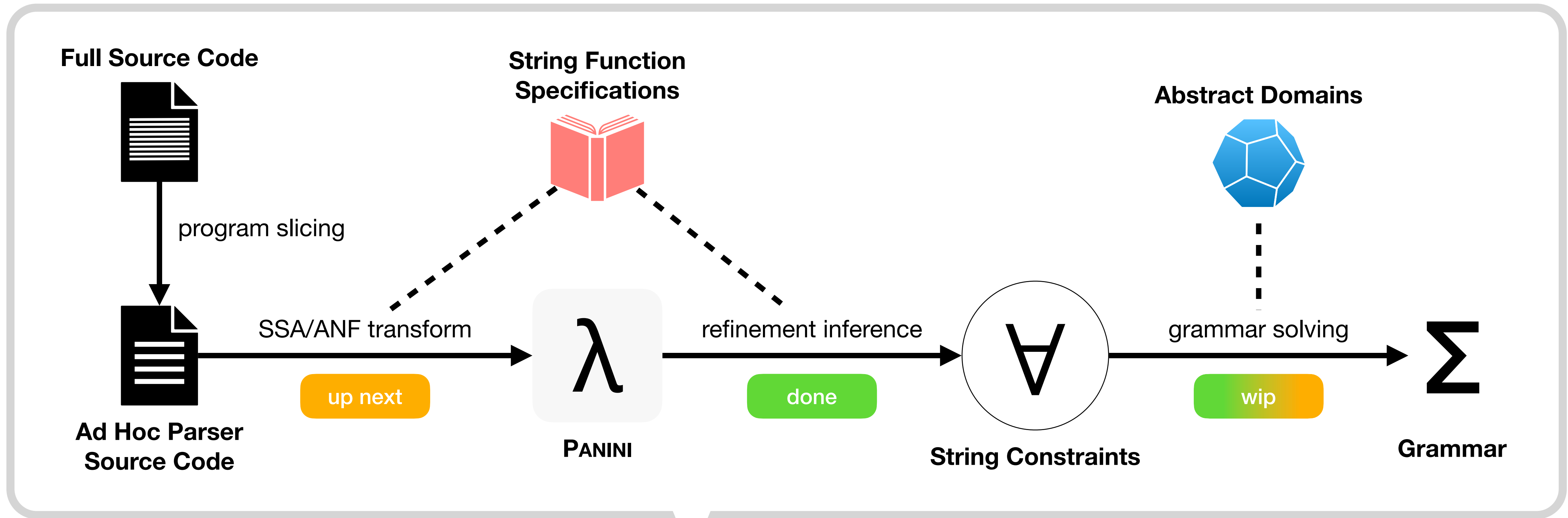
Engineering End-to-End System

ongoing
- 

Application Prototypes
- 

Evaluation on Ad Hoc Parser Corpus



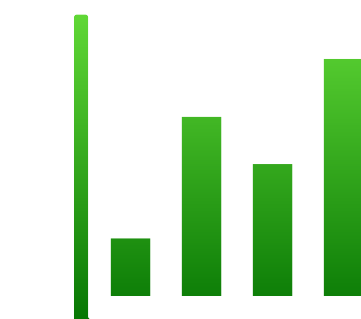



User Study on Grammar Comprehension
 ongoing


Mining Study of Ad Hoc Parsers
 ongoing


Engineering End-to-End System
 ongoing

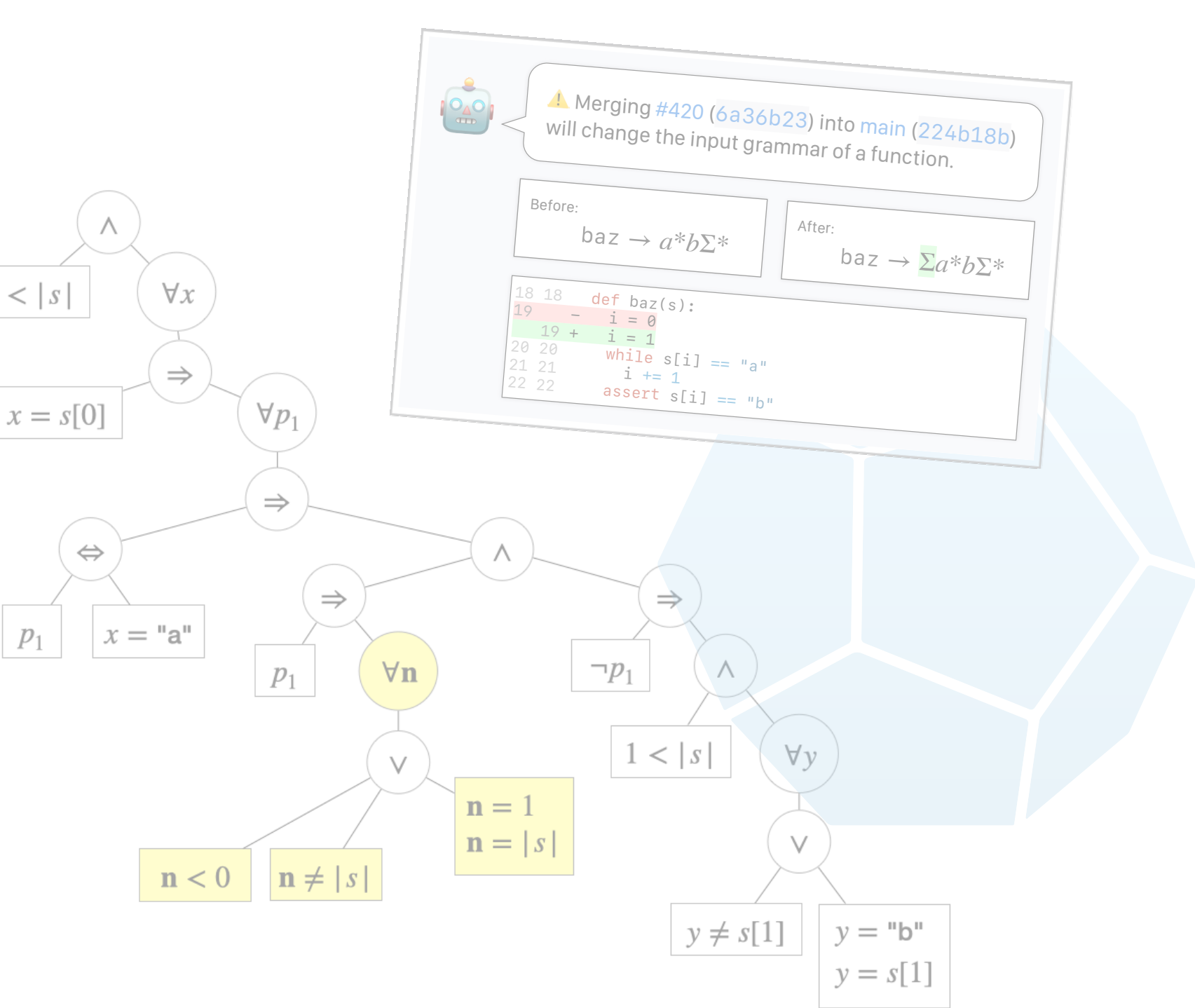

Application Prototypes


Evaluation on Ad Hoc Parser Corpus


Mining Study of Inferred Grammars

Grammar Inference for Ad Hoc Parsers

<https://mcschroeder.github.io/#splash2022>



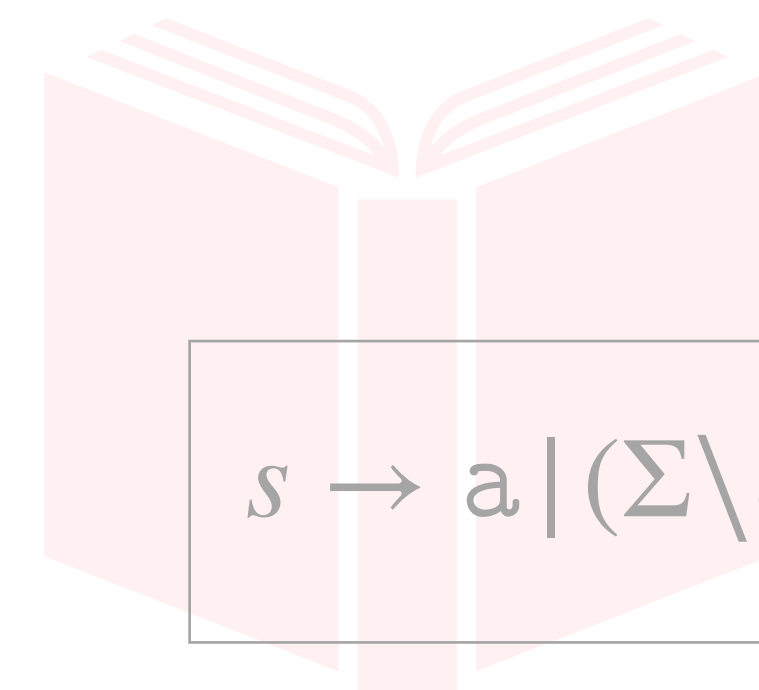
Michael Schröder
TU Wien

Vienna, Austria

michael.schroeder@tuwien.ac.at

Inferred Grammar	Inferred Inputs
$s \rightarrow int \mid int, s$	✗ (empty)
$int \rightarrow space^* (+ -)^? digit (_? digit)^* space^*$	✓ 1, 2, 3
$digit \rightarrow 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$	✓ 10_000, 4
$space \rightarrow _ \mid \backslash t \mid \backslash n \mid \backslash v \mid \backslash f \mid \backslash r$	✓ +01_2, ..., 3

`xs = map(int, s.split(","))`



$s \rightarrow a \mid (\Sigma \setminus a)b\Sigma^*$

```

assert : {b : B | b} → 1
equals : (a : Z) → (b : Z) → {c : B | c ↔ a}
length : (s : S) → {n : N | n = |s|}
charAt : (s : S) → {i : N | i < |s|} → {t : S | t = s[i]}
match : (s : S) → (t : S) → {b : B | b ↔ s}

parser : S → 1
= λs.
  let x = charAt s 0 in
  let p1 = match x "a" in
  if p1 then
    let n = length s in
    let p2 = equals n 1 in
    assert p2
  else
    let y = charAt s 1 in
    let p3 = match y "b" in
    assert p3
  
```

Doctoral Symposium, SPLASH 2022

**Tāmaki Makaurau, Aotearoa
Auckland, New Zealand**



Informatomics